

Forward π^0 and η production in STAR at $\sqrt{s}=500$ GeV with transversely polarized pp collisions

Transverse momentum Dependence of π^0 SSA in FMS Run 11 CIPANP

S. Heppelmann (PSU) for STAR collaboration
June 2, 2012

- Background
 - Physics Questions
 - **Cross Ratio** method vs. $A(\phi)=A_N \cos(\phi)$ fitting method
 - Previous FMS and STAR results
 - About P_T dependence of A_N
 - FMS Event Topology and Event Selection
- Present High Statistics A_N for STAR Run 11 $\sqrt{s}=500$ GeV
 - X_F dependence
 - P_T dependence for fixed X_F
 - Dependence on event topology



Proton Forward Scattering at High PT

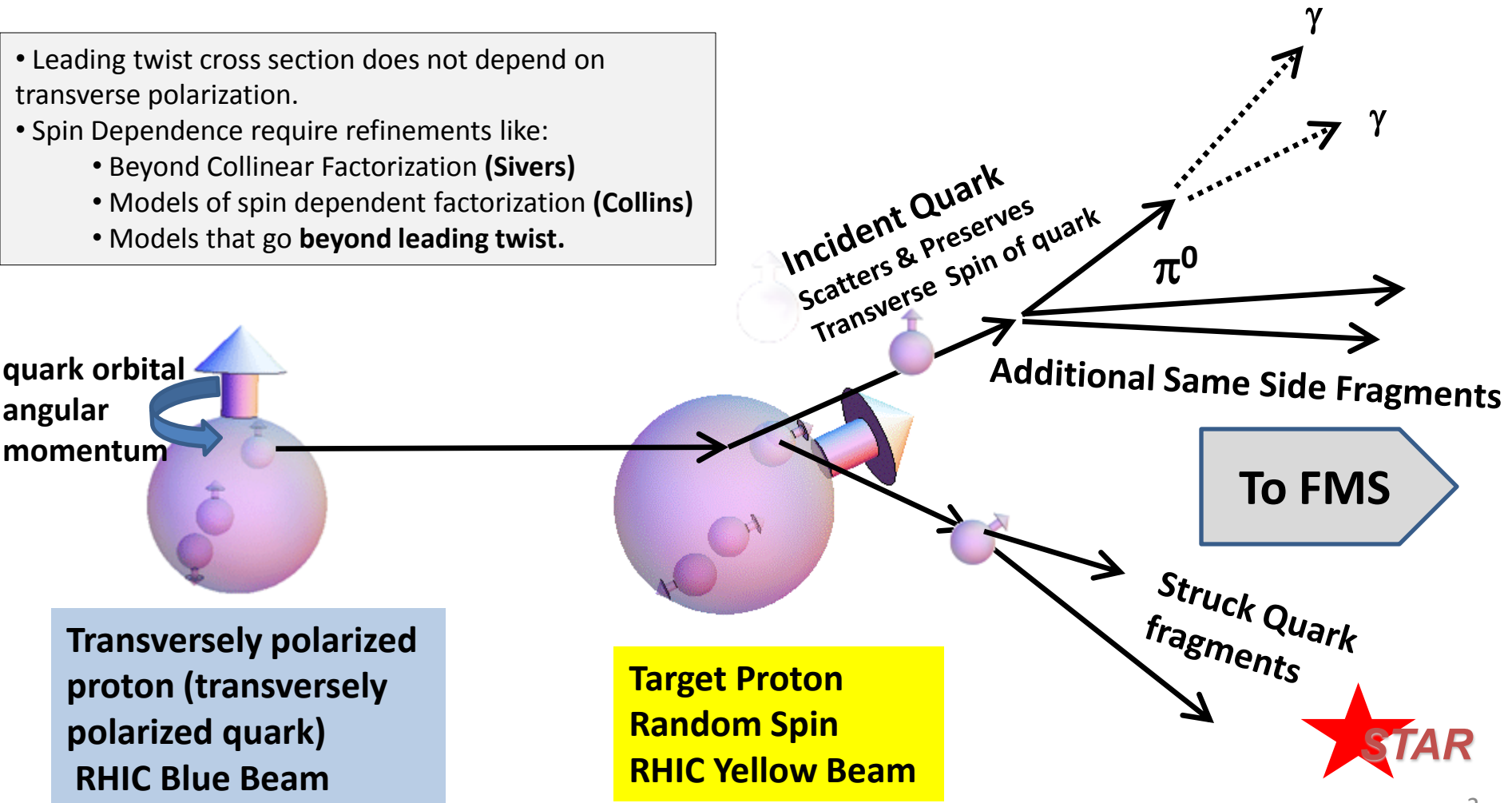
QCD Perspective

PQCD (Leading Twist):

Factorized Cross Section= (initial state) x (quark scattering) x (fragmentation)

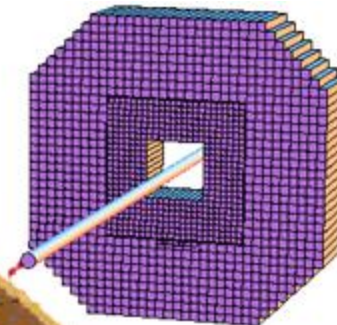
- Does good job of predicting the spin averaged cross section.

- Leading twist cross section does not depend on transverse polarization.
- Spin Dependence require refinements like:
 - Beyond Collinear Factorization (**Sivers**)
 - Models of spin dependent factorization (**Collins**)
 - Models that go **beyond leading twist**.



FMS

Pb Glass EM Calorimeter
pseudo-rapidity $2.7 < \eta < 4.0$
Small cells: 3.81×3.81 cm
Outer cells: 5.81×5.81 cm

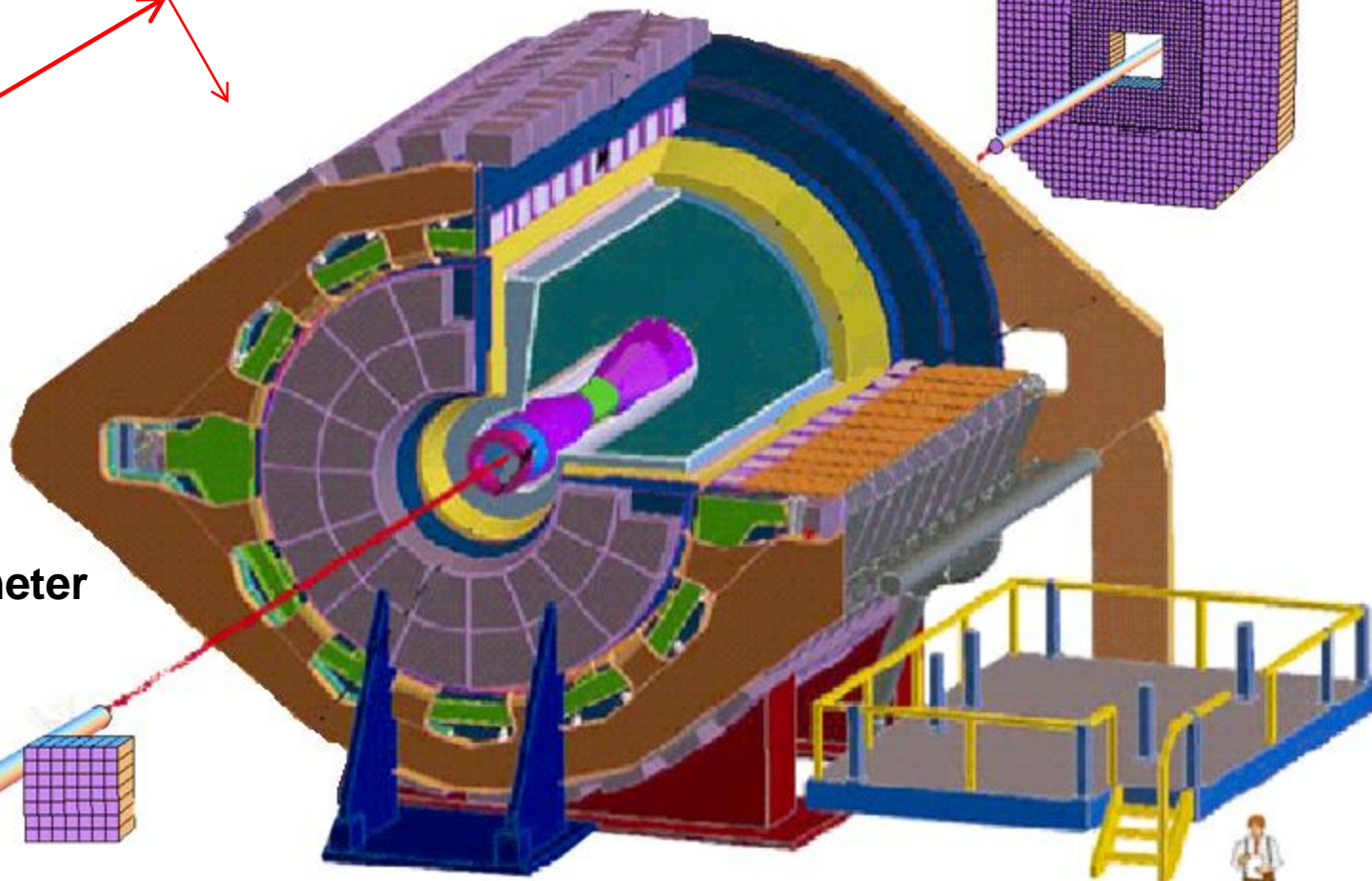


Unpolarized
Proton

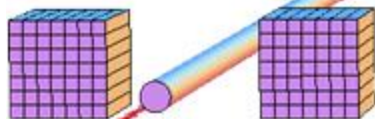
π^0



Transversely
Polarized
Proton



FPD EM Calorimeter
Small cells only
Two 7×7 arrays



Forward EM Calorimetry In STAR.

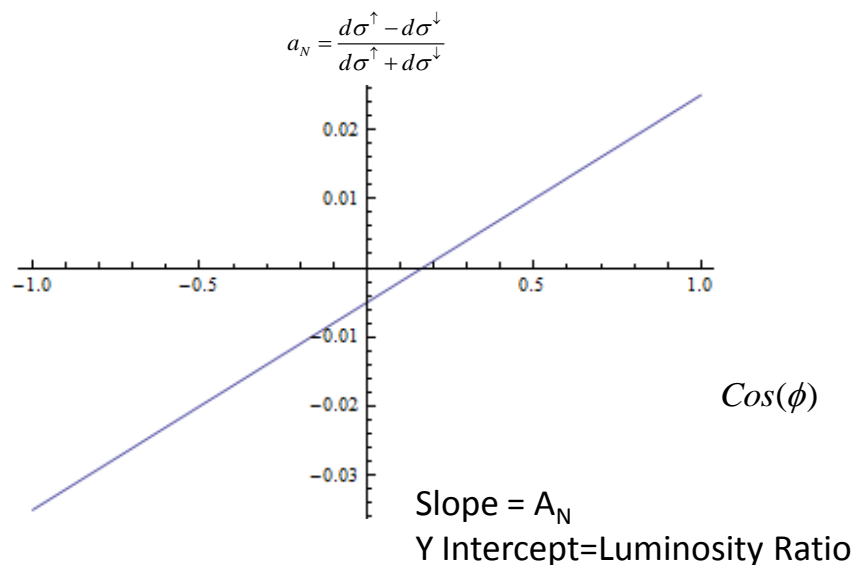
1) Cross Ratio Transverse Asymmetry

VS

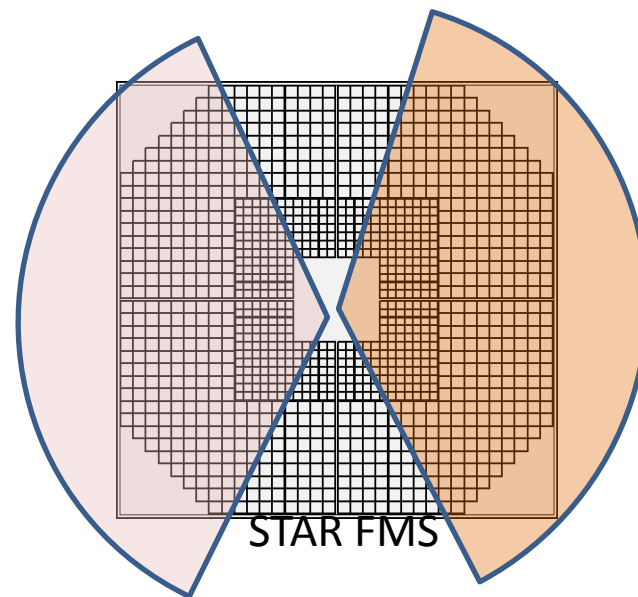
2) $A(\phi)$ Fit

Method 1:
Cross Ratio:

$$A_N = \frac{d\sigma^\uparrow - d\sigma^\downarrow}{d\sigma^\uparrow + d\sigma^\downarrow} \cong \frac{1}{P} \frac{\sqrt{N^\uparrow S^\downarrow} - \sqrt{S^\uparrow N^\downarrow}}{\sqrt{N^\uparrow S^\downarrow} + \sqrt{S^\uparrow N^\downarrow}}$$



Left(N): $\text{Cos}(\phi) < -0.5$



Method 2: $a_N(\phi) = a_0 + A_N \cos(\phi)$

Right(S): $\text{Cos}(\phi) > 0.5$

Fix a_0 for full data set

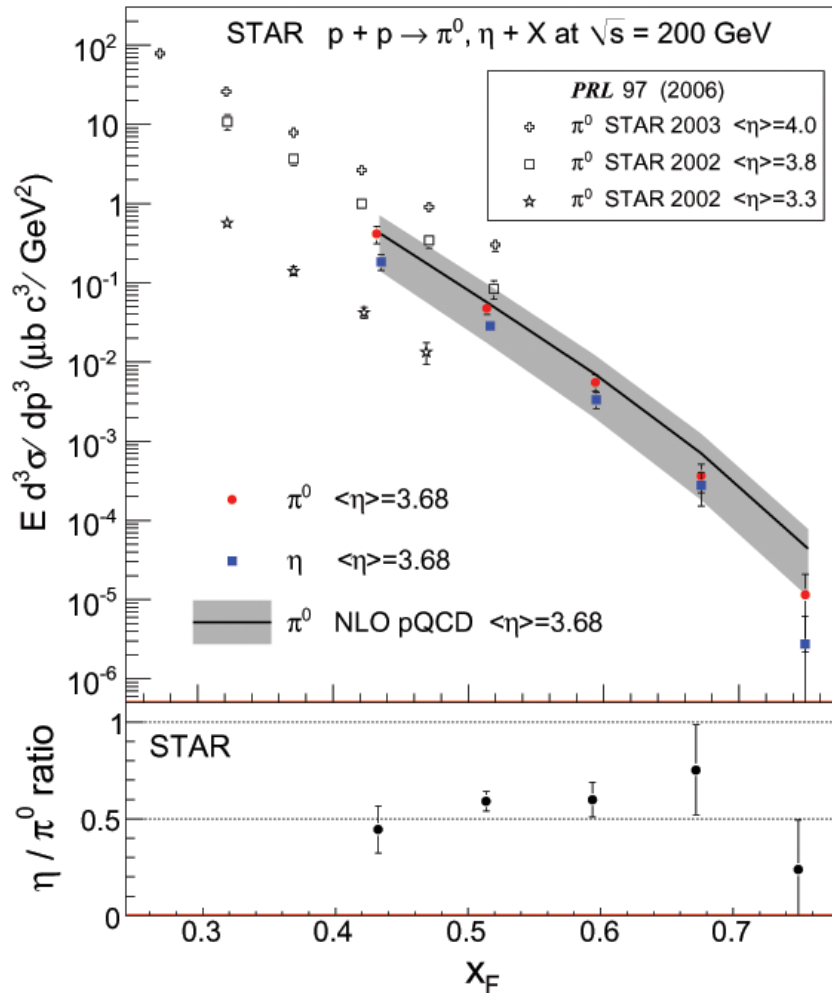
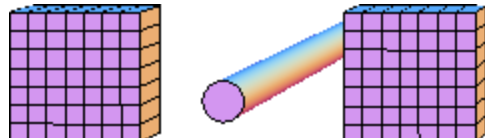
For many small data subsets one parameter fit for A_N

Advantage: Every fitted value of A_N comes with error and χ^2 .

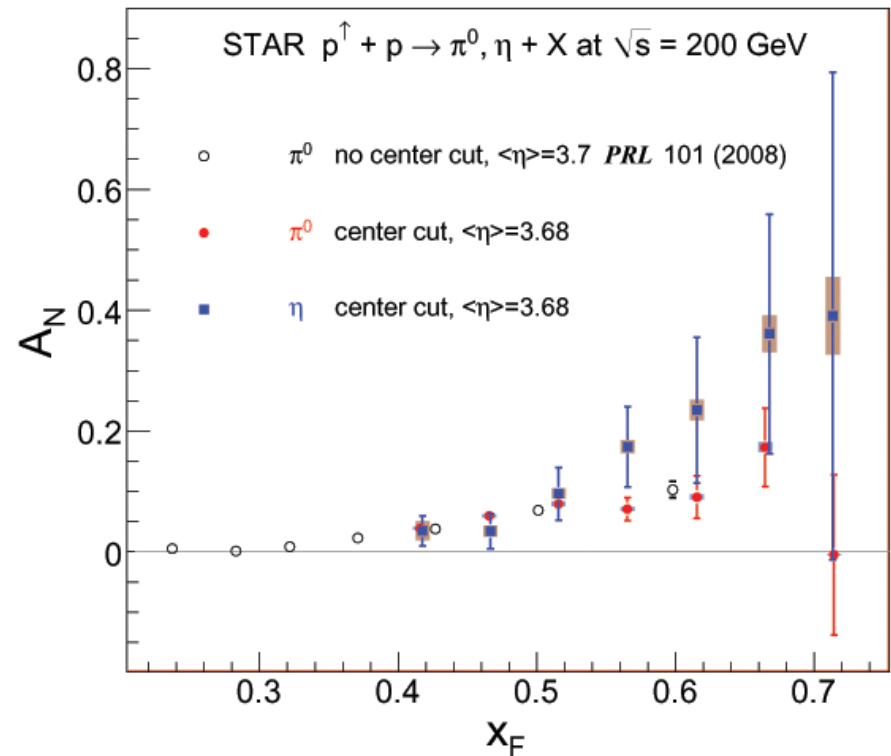


New paper on η/π^0 at $X_F > 0.5$

Extra page 29 is a possible substitute for this slide



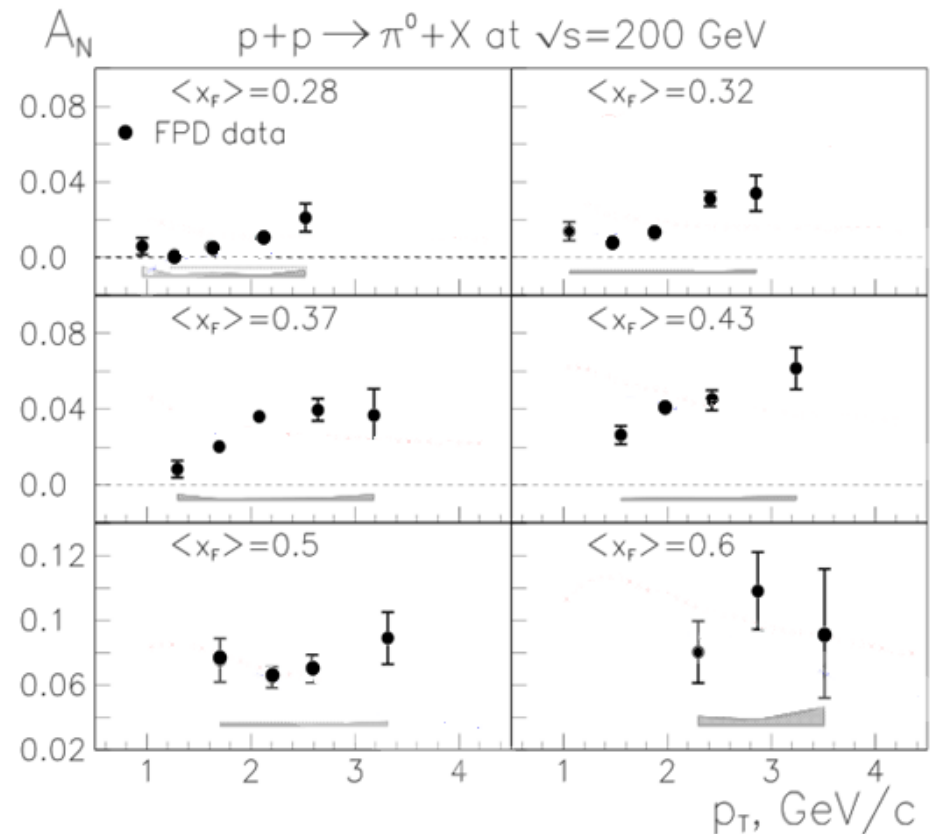
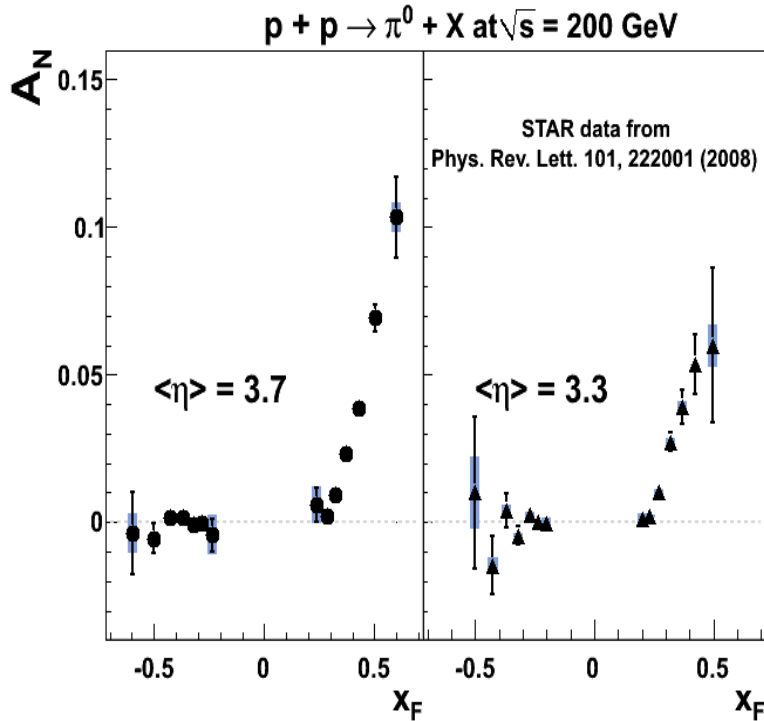
- π^0 cross section in **good agreement with PQCD calculation.**
- η/π^0 cross section ratio similar to that observed where jet fragmentation is dominant.
- $A_N(\eta) > A_N(\pi^0)$ for $X_F > 0.55$



STAR Published Run 6 (FPD $\sqrt{s}=200\text{GeV}$)

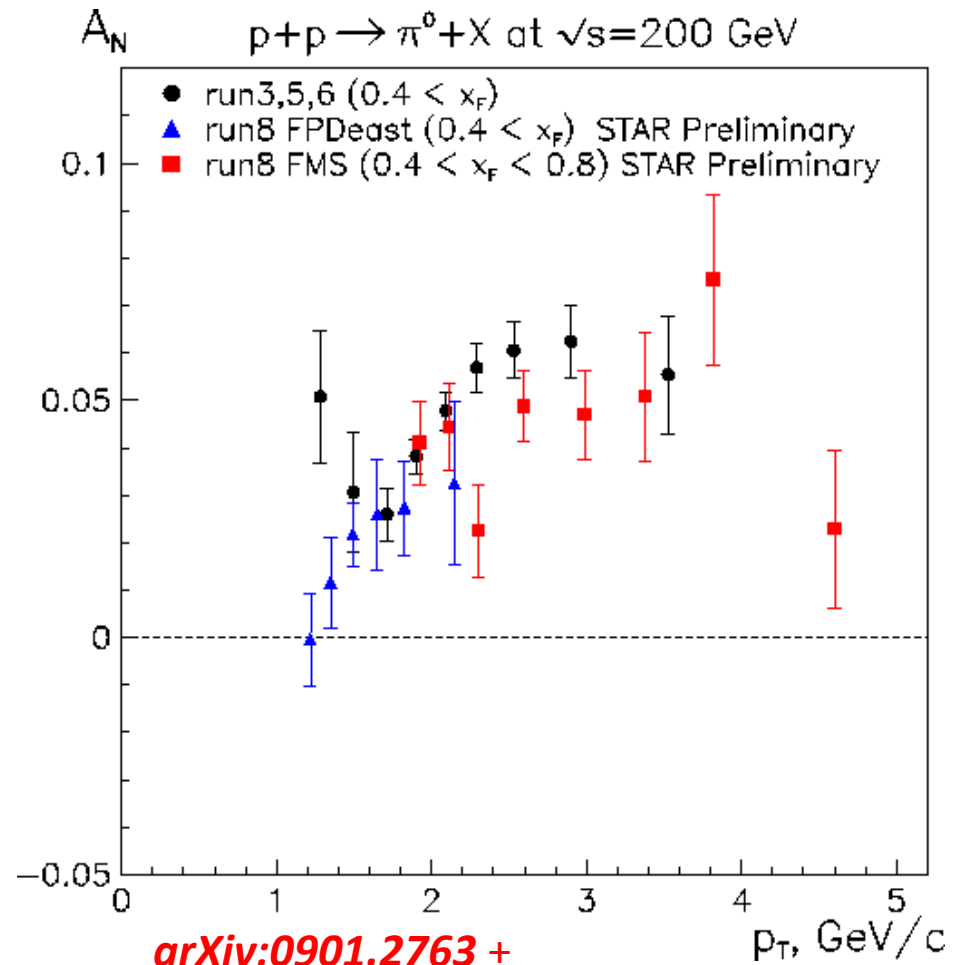
PRL 101, 222001 (2006)

- Rising A_N with X_F ($0 < X_F < 0.5$) from 0% to 5-10%
- No evidence of fall in A_N with increasing P_T up to $P_T \sim 3 \text{ GeV}/c$



From FMS **Run 8**, STAR has Expanded Rapidity Coverage $-1 < Y < 4.2$

STAR Forward Meson Spectrometer
 $2.5 < Y < 4.0$



arXiv:0901.2763 +
A.Ogawa @CIPANP09



- Leading twist cross section does not depend on transverse polarization.
- Spin Dependence require refinements like:
 - Beyond Collinear Factorization (**Sivers**)
 - Models of spin dependent factorization (**Collins**)
 - Models that go **beyond leading twist**.

Sivers Model: Initial quark picks up k_T from initial state wave function, **proportional to orbital angular momentum**.

Jet based Asymmetry, significant dependence of A_N on the details of near side jet fragments is not expected!

Collins Model: Final π^0 picks up k_T from **fragmentation of polarized quark**. Vanishing jet asymmetry. Observed A_N will depend on the details of near side fragmentation!

A toy model for proton
Cross Section at large x .

$$\sigma(p_T) \sim \frac{(1-x_F)^5}{p_T^6}$$

Suppose initial state structure or final state fragmentation modifies the hard scattering \mathbf{p}_T .

If the spin dependent initial/final state momentum is \mathbf{k}_T .

For spin proton spin up: $\langle \mathbf{p}_T \rangle \Rightarrow \langle \mathbf{p}_T \rangle - \mathbf{k}_T$

For spin proton spin dn: $\langle \mathbf{p}_T \rangle \Rightarrow \langle \mathbf{p}_T \rangle + \mathbf{k}_T$

$$A_N(p_T) \sim \frac{\sigma(p_T - k_T) - \sigma(p_T + k_T)}{2\sigma(p_T)} \sim \frac{-k_T}{\sigma} \frac{d\sigma}{dp_T} \sim \frac{6k_T}{p_T} \propto \frac{1}{p_T}$$

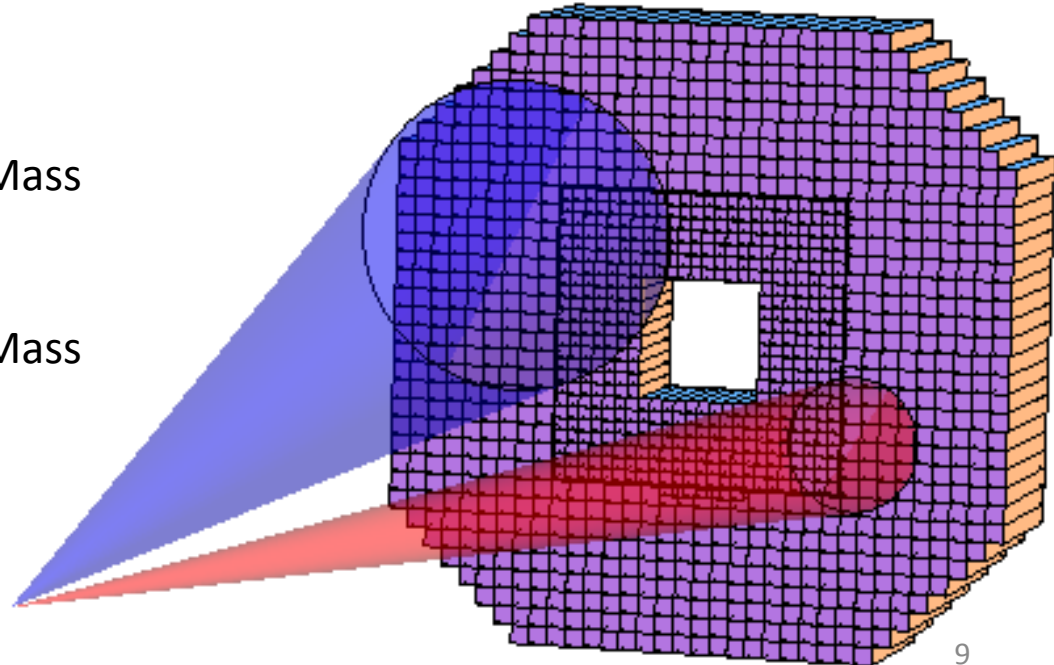
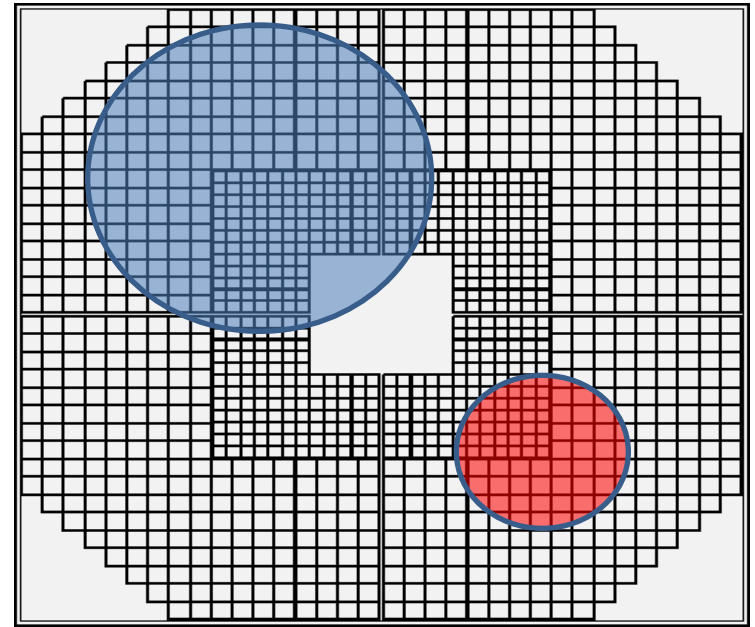
Similar for **for higher twist:**

$$A_N(p_T) \propto \frac{1}{p_T}$$

Isolation of π^0 's

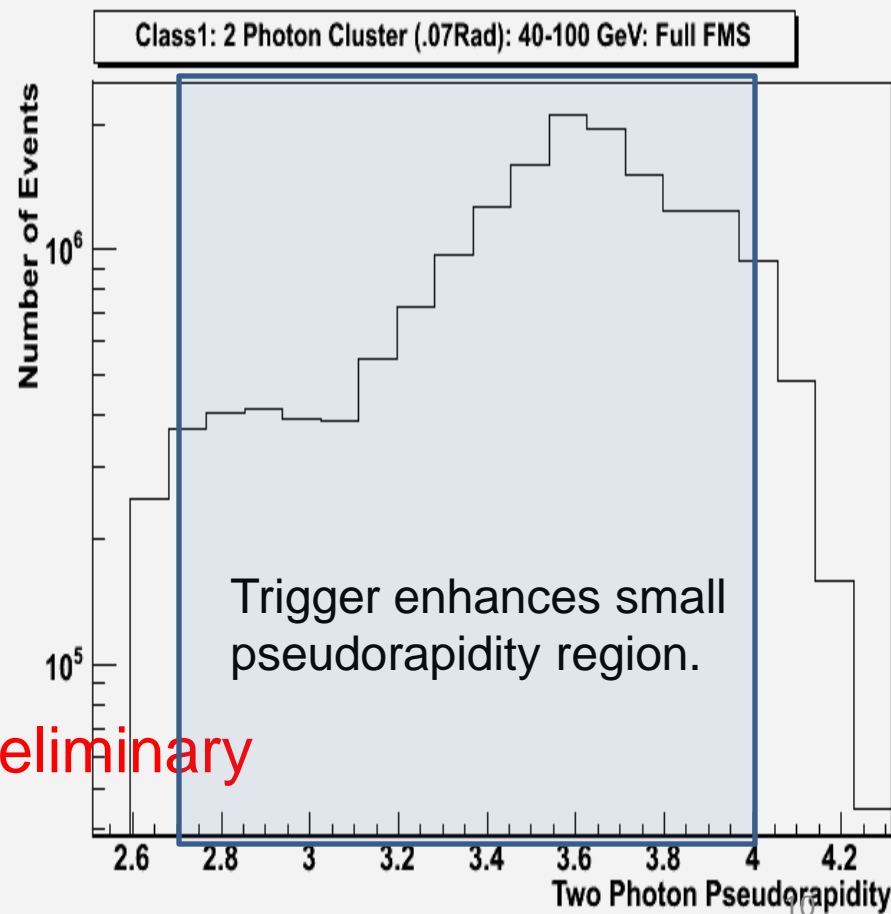
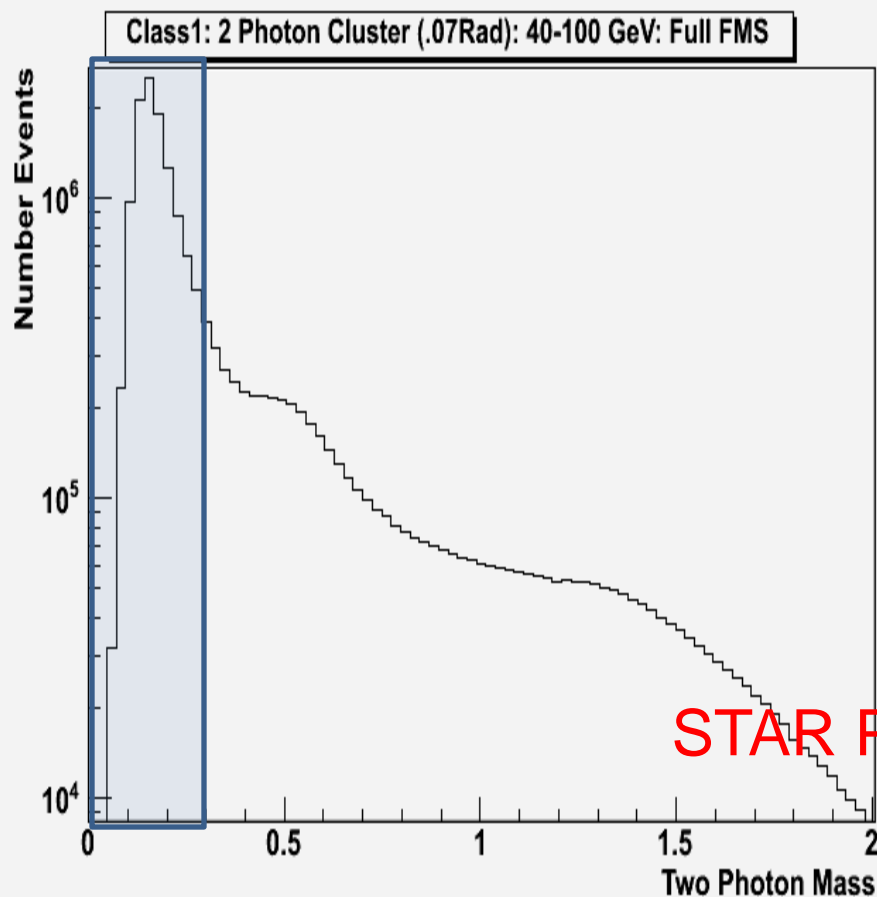
Event Selection:

1. **Analyze FMS for all photon** candidates.
(Showers that are fit successfully to photon hypothesis)
A photon candidates must have a minimum of 6 GeV in the small inner detector or 4 GeV in the outer cells.
2. **Find Clusters of EM energy** grouping photon candidates that are within opening angle cone $\Delta\theta$ (relative to energy weighted center)
3. We consider 2 event classes {1 and 2}
 1. $\Delta\theta = 0.07$ 2 Photon clusters, π^0 Mass (isolation radius of .07 radians).
 2. $\Delta\theta = 0.03$ 2 Photon clusters, π^0 Mass (isolation radius of .03 radians).



Class 1 Events: $\Delta\theta = 0.07$ 2 Photon clusters, π^0 Mass (less inclusive)?

- $40 \text{ GeV} < E_{\text{pair}} < 100 \text{ GeV}$
- $Z = |(E_1 - E_2)/(E_1 + E_2)| < .7$
- $2.7 < Y < 4.0$ (Full FMS Pseudo-rapidity)
- Selection of π^0 Peak ($0.02 < \text{Mass} < .3$)
- Average polarization: $48\% \pm 5\%$ (RHIC Spin CNI Group <http://www.phy.bnl.gov/cnipol/>)
- Integrated Luminosity: 22 pb^{-1}



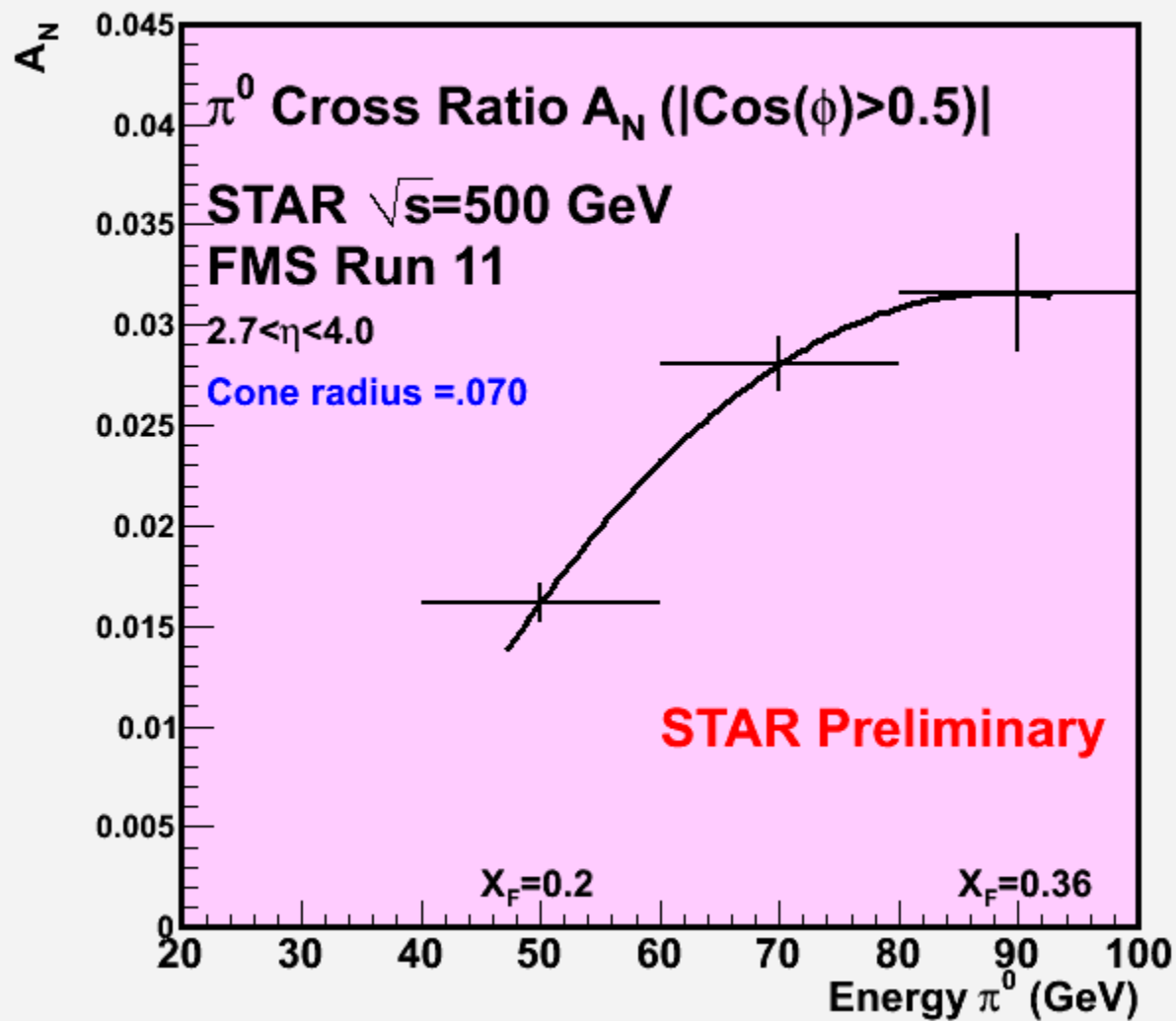
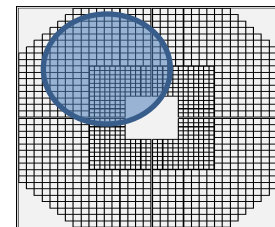
STAR Preliminary

Cross Ratio Transverse Single Spin Asymmetry for Run 11

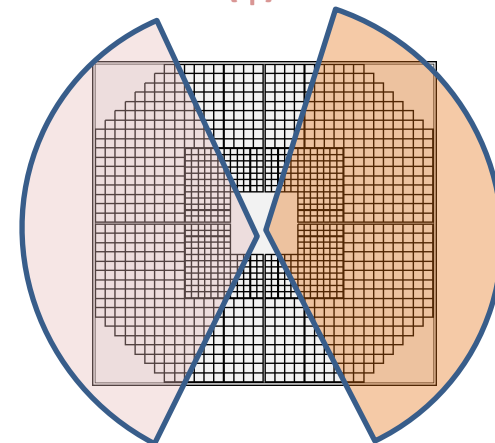
π^0 (2 Photon Cluster) **Cluster size = 0.07 Rad**

For **Blue** Beam (Forward)

Full FMS rapidity range ($2.6 < Y < 4.1$)



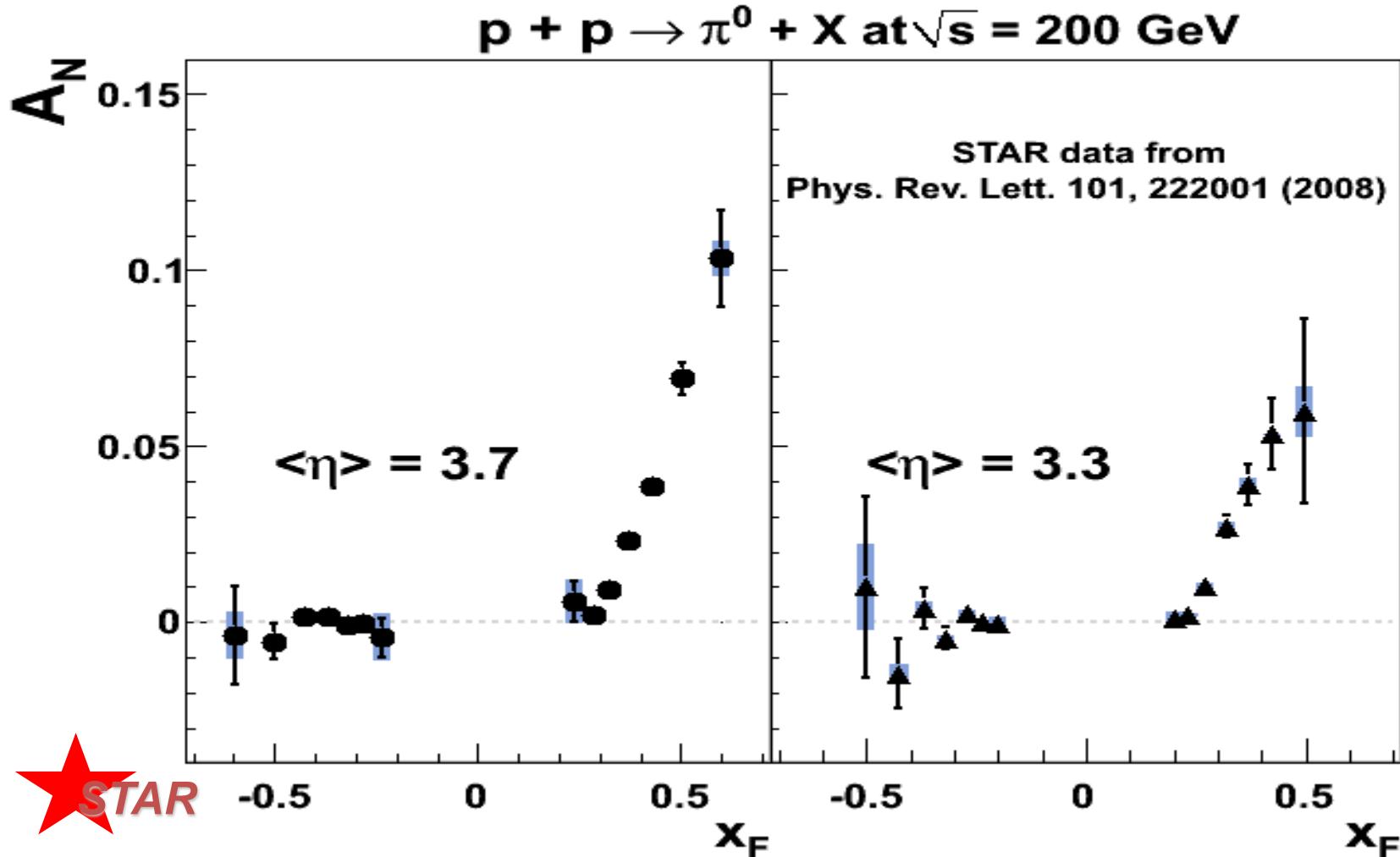
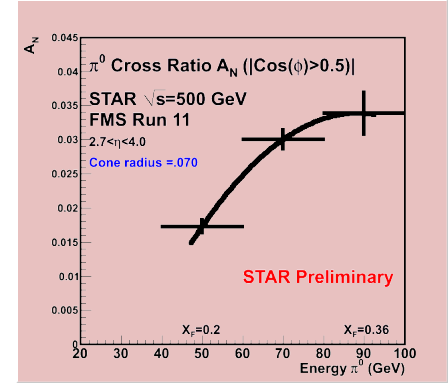
Left: $\cos(\phi) < -0.5$



Left: $\cos(\phi) > 0.5$

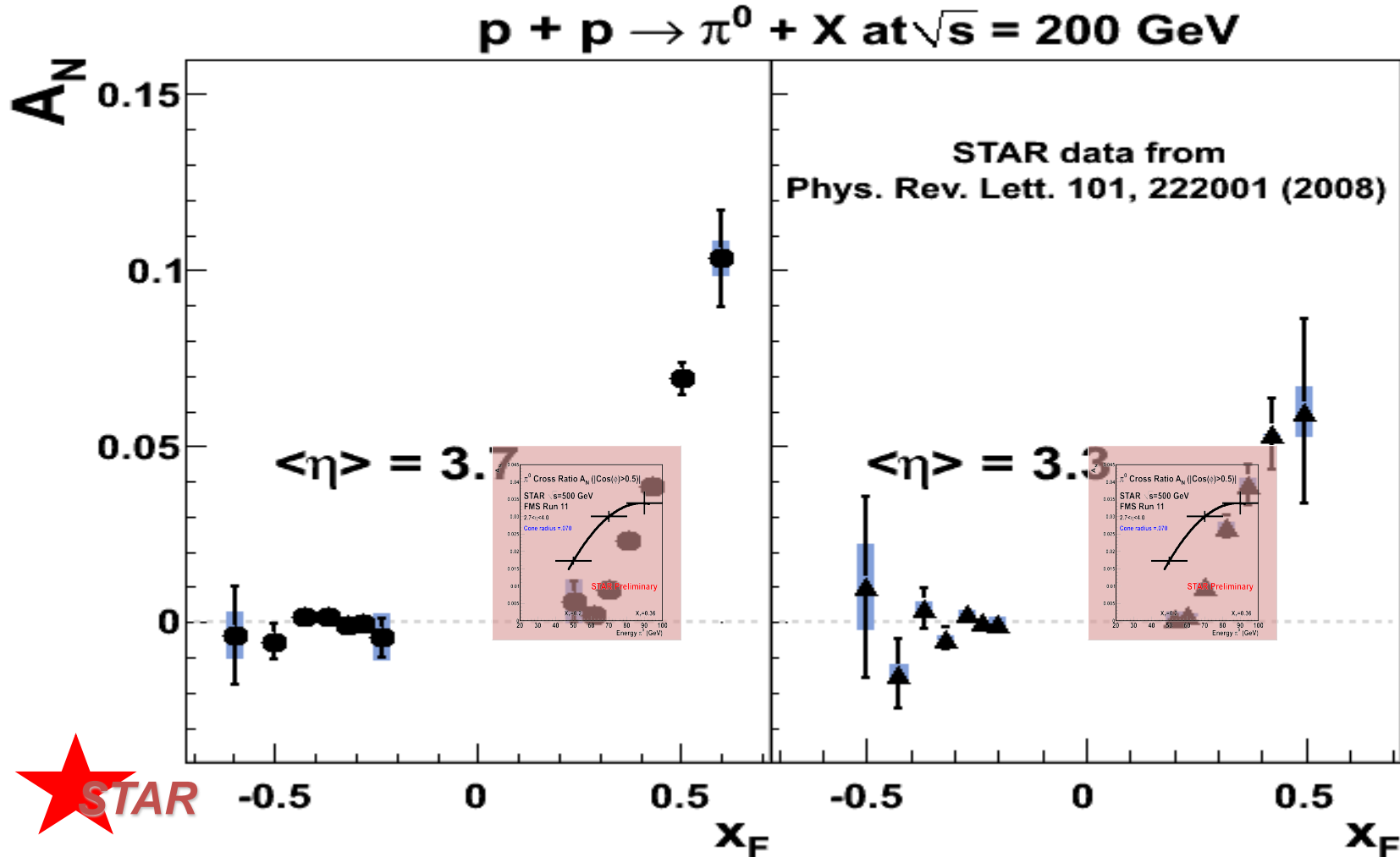
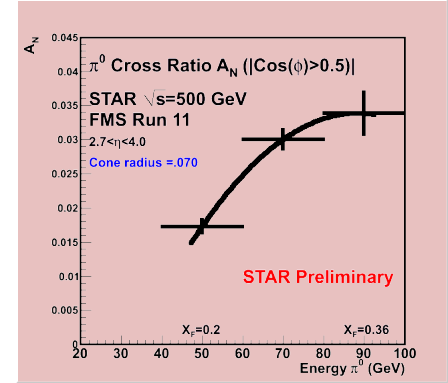


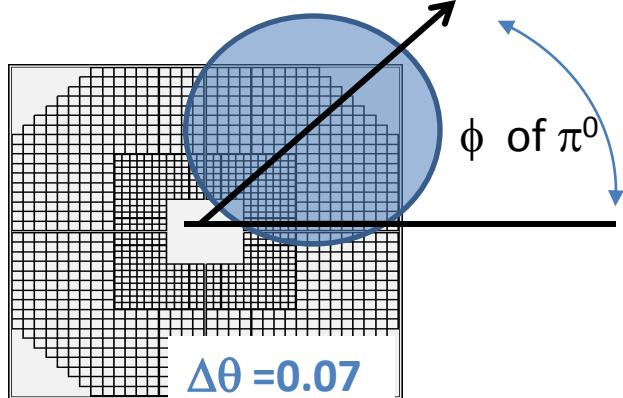
Compare **new $\sqrt{s}=500$ GeV Run 11 Full FMS Data** on right with **Run 6 $\sqrt{s}=200$** published data below.



Compare **new $\sqrt{s}=500$ GeV Run 11** Full FMS Data on right with **Run 6 $\sqrt{s}=200$** published data below.

Scale of A_N similar but starts at lower X_F in Run 11 data.





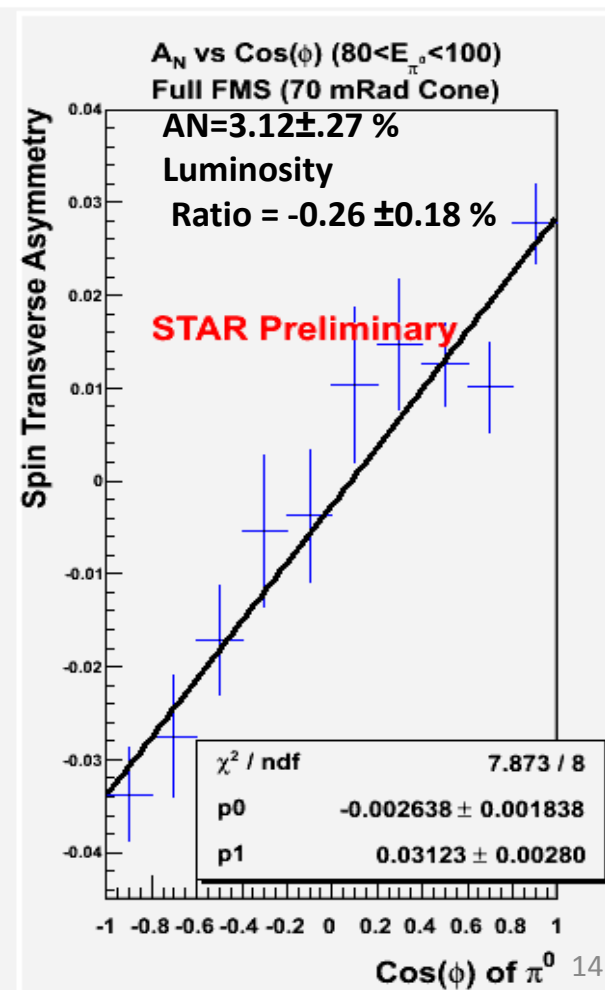
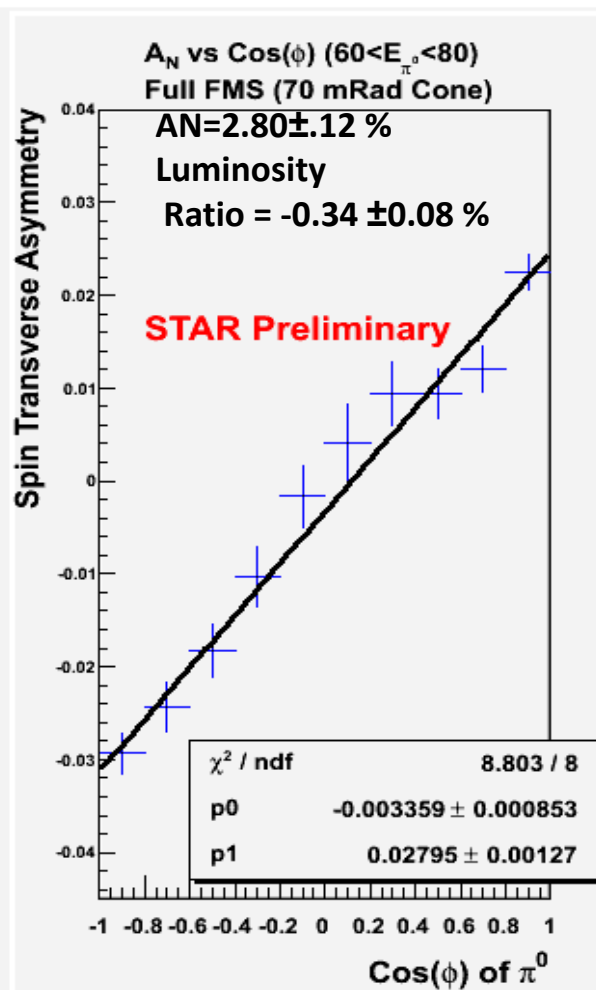
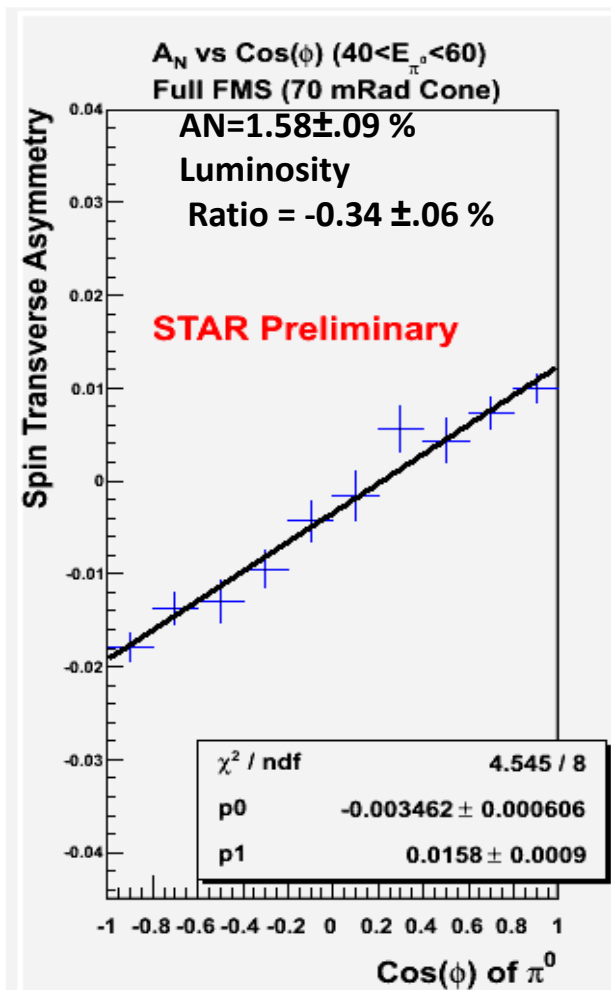
Blue Beam A_N

As an alternative to Cross Ratio, the raw asymmetry can be plotted as a function of $\cos(\phi)$ (with polarization axis at $\phi = \pi/2$)

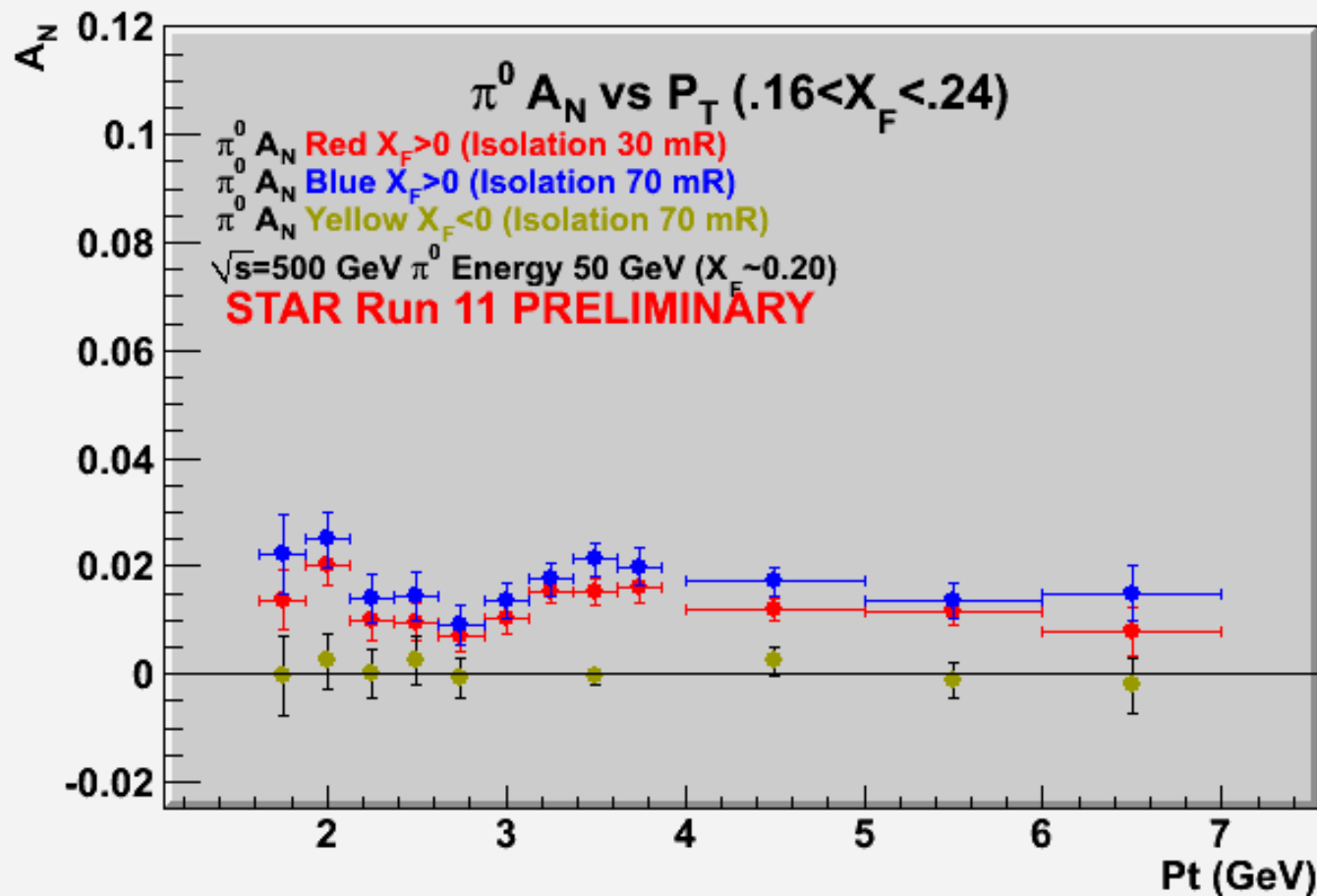
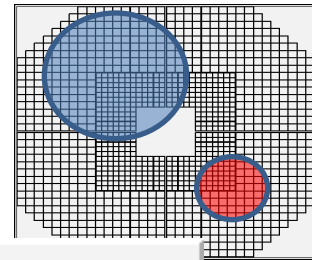
Slope = A_N

Intercept = Luminosity Ratio for data set

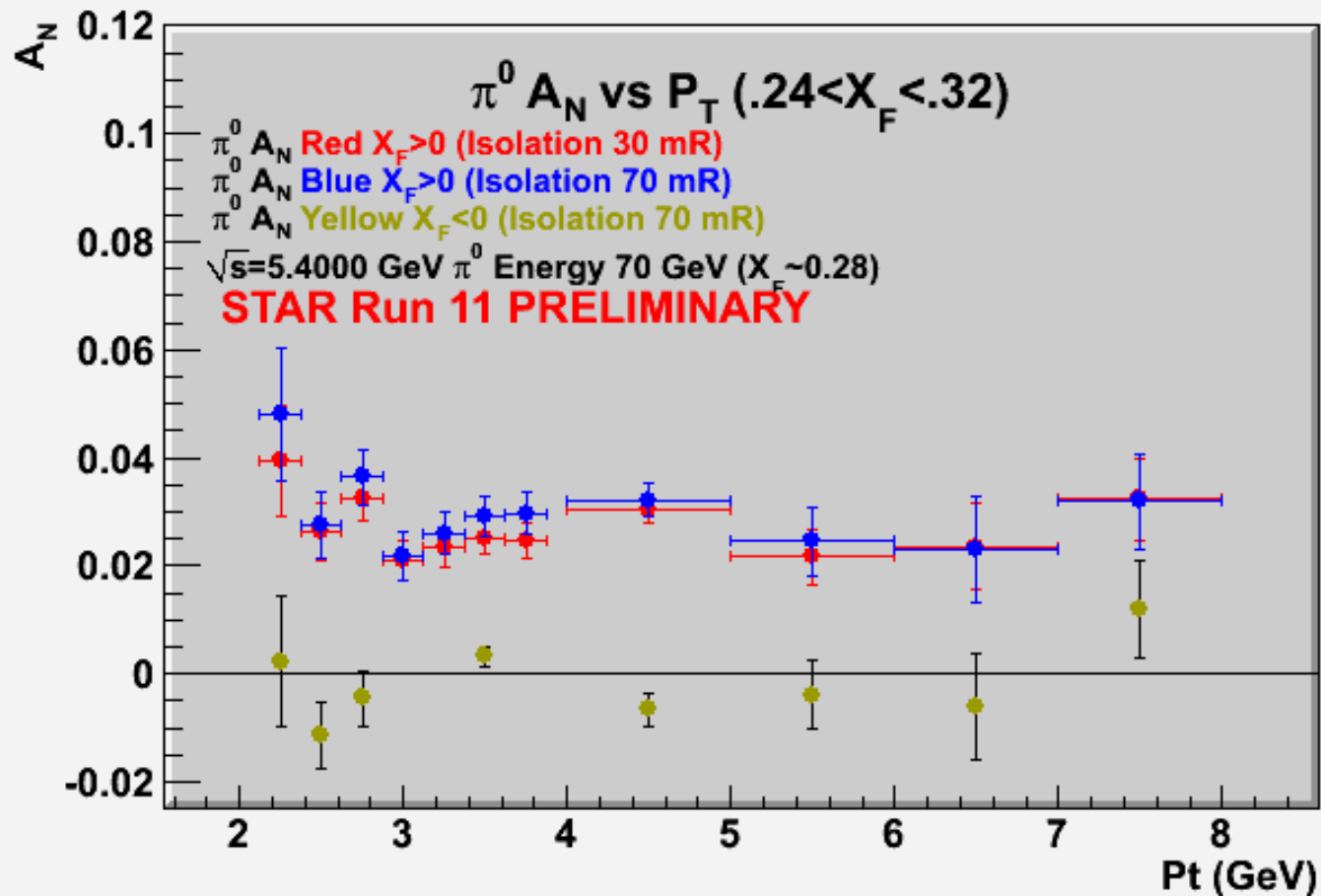
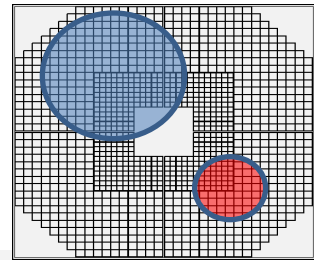
Luminosity ratio for all $\sim -0.33 \pm 0.05 \%$



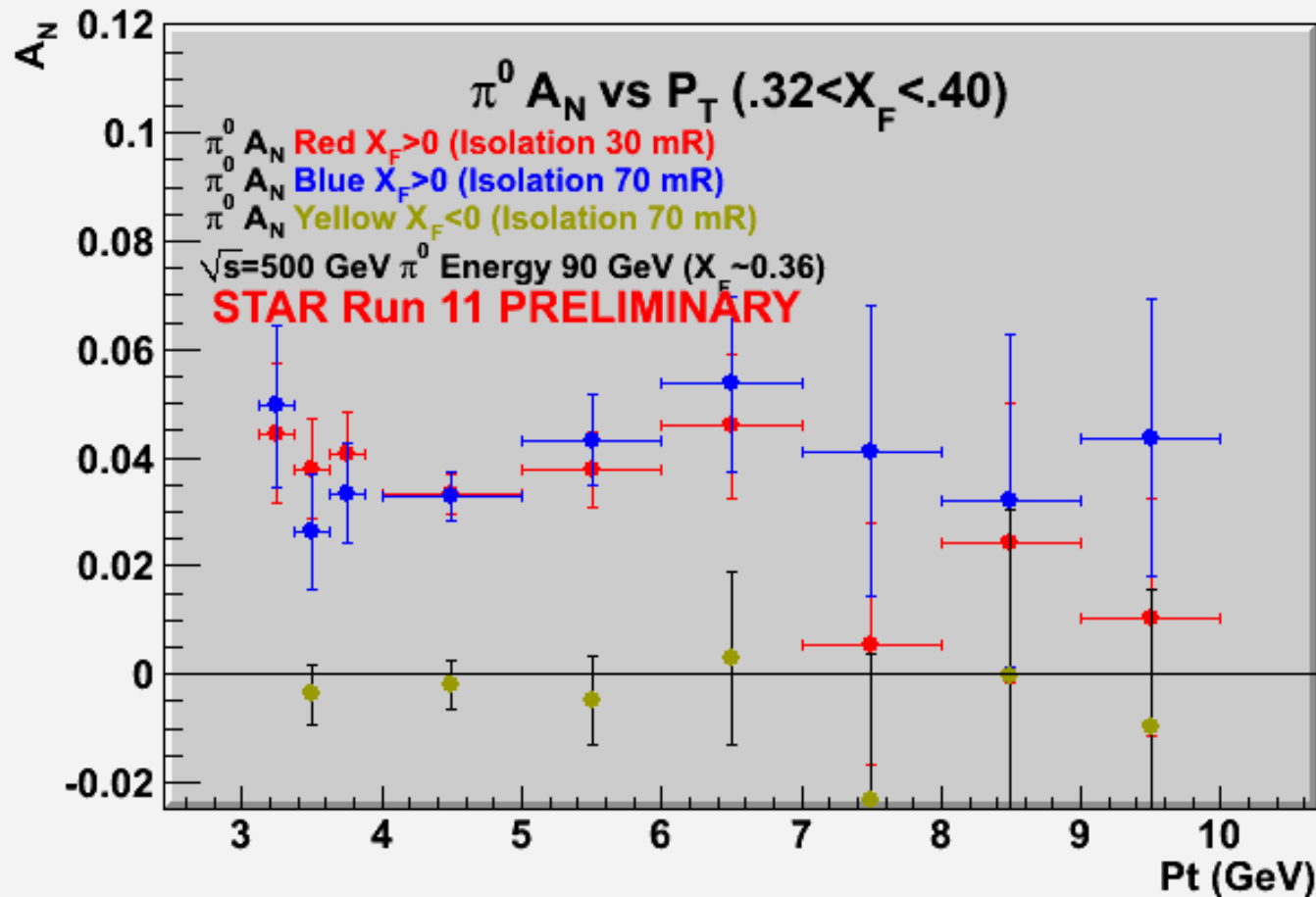
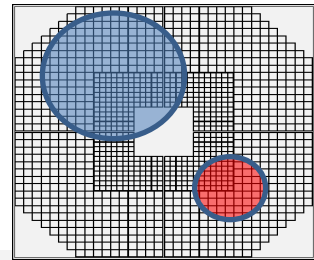
Transverse Single Spin π^0 Asymmetry vs P_T for small and large π^0 isolation cones. (Errors shown are statistical)



Transverse Single Spin π^0 Asymmetry vs P_T for small and large π^0 isolation cones. (Errors shown are statistical)



Transverse Single Spin π^0 Asymmetry vs P_T for small and large π^0 isolation cones. (Errors shown are statistical)



Higher Twist or other pQCD related models imply

A_N should fall at large P_T with at least 1 power of P_T

The following plots fit the A_N vs P_T data to a power of P_T .

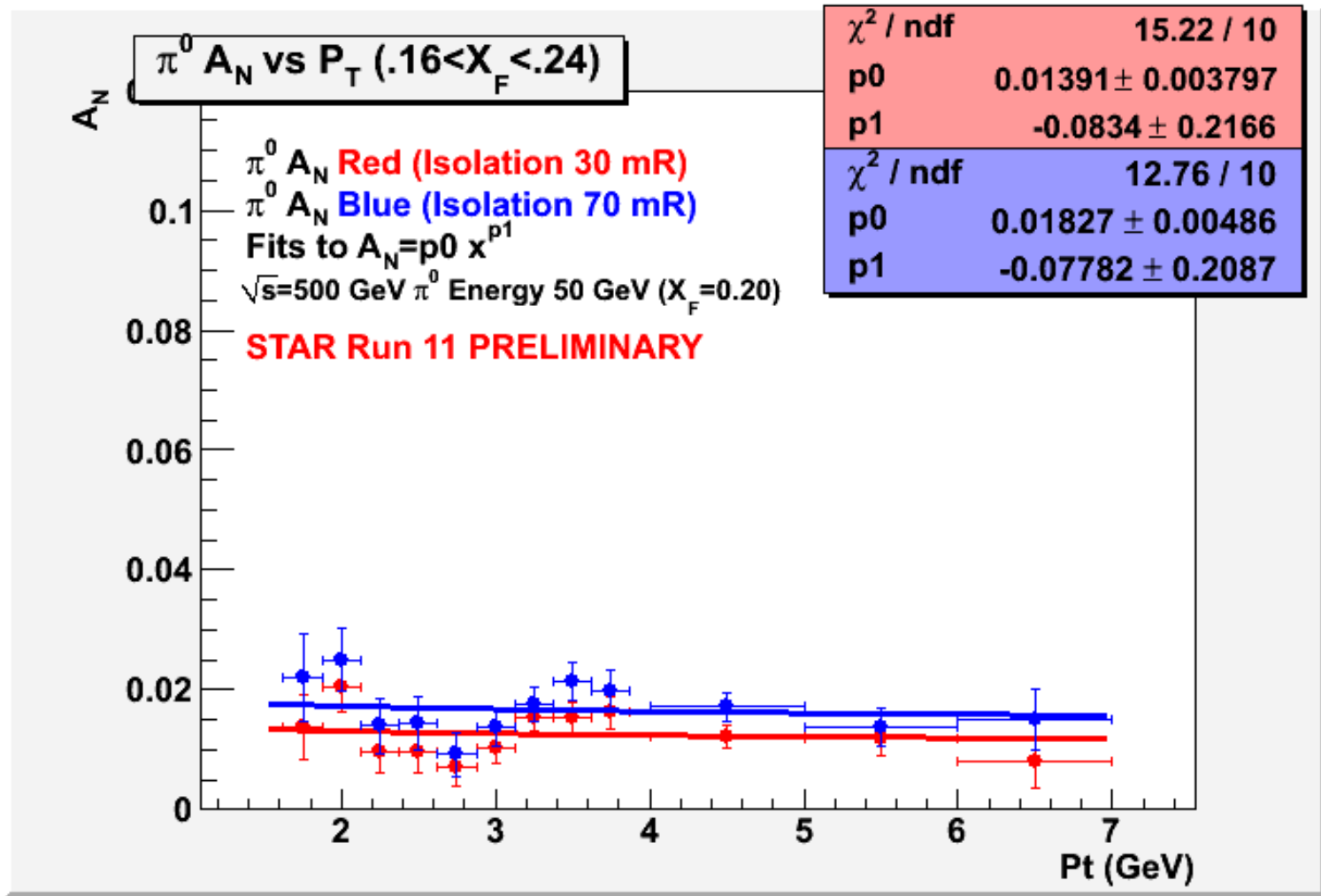
Fits are shown for both the **70 mRad** and **30 mRad** isolation cones.

Characterize P_T dependence with
a two Parameter Fit:

$$A_N(P_T) = [p_0] \times (P_T)^{[p_1]}$$

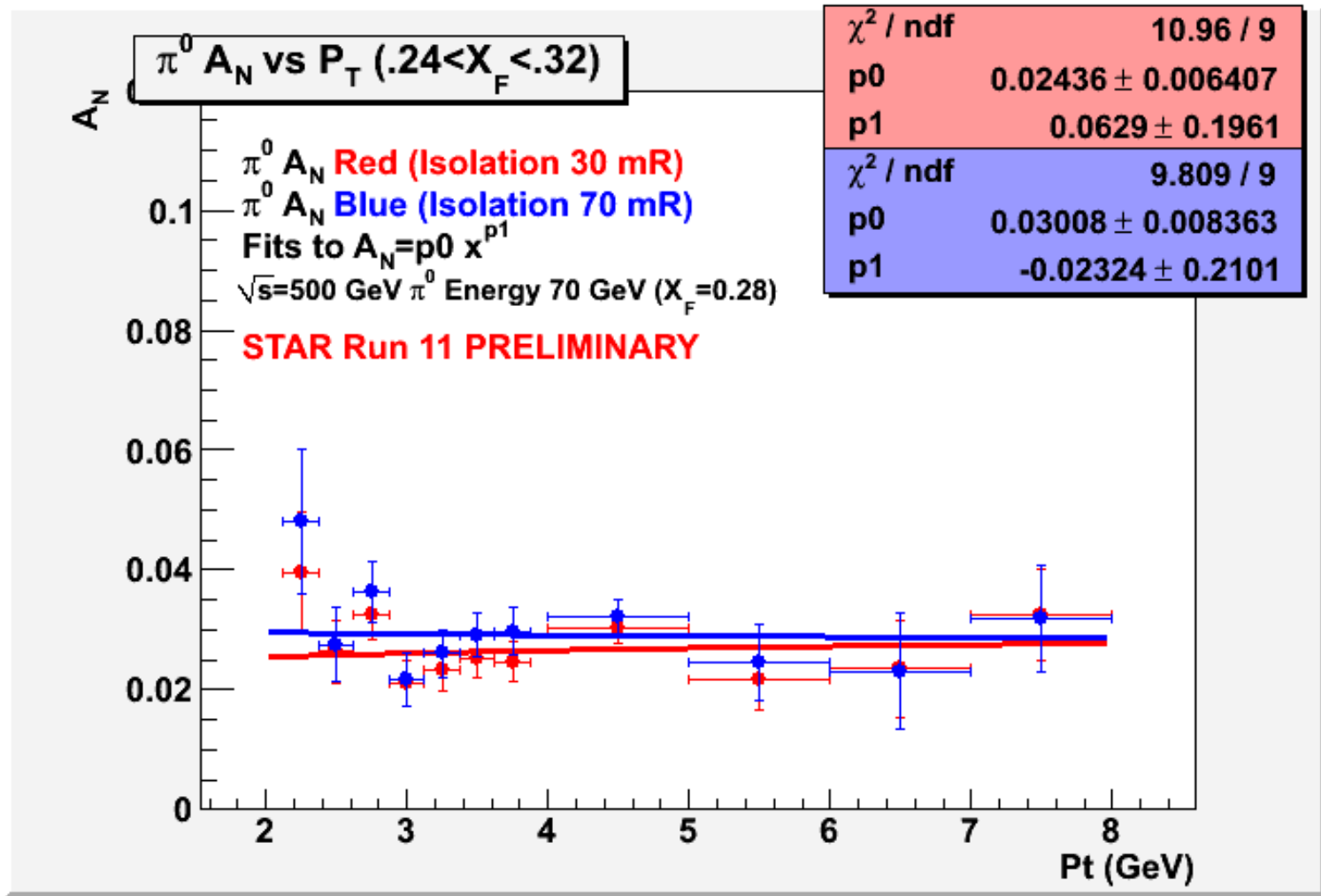


Transverse Single Spin π^0 Asymmetry vs P_T for small and large π^0 isolation cones. Fits to power of P_T . (Errors shown are statistical)



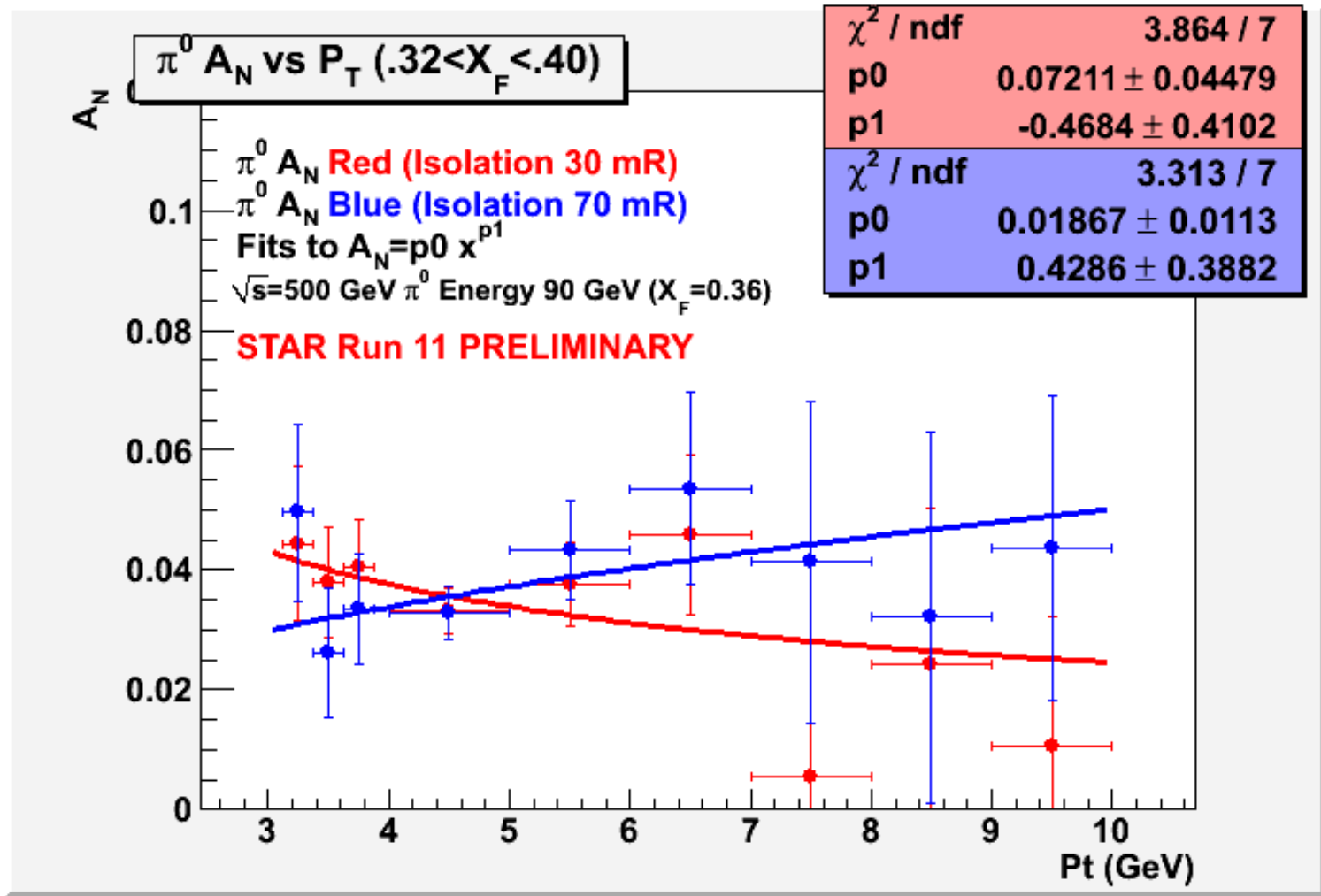
Transverse Single Spin π^0 Asymmetry vs P_T for small and large π^0 isolation cones.

Fits to power of P_T . (Errors shown are statistical)



Transverse Single Spin π^0 Asymmetry vs P_T for small and large π^0 isolation cones.

Fits to power of P_T (Errors shown are statistical)



Systematic Errors

- Run 11 blue beam polarization $48\% \pm 5\%$

$$\frac{\Delta A_N}{A_N} < 10\%$$

- Non π^0 signal $< 10\%$
- Similar asymmetries for Background:

$$\frac{\Delta P_T}{P_T} < 12\%$$

$$\frac{\Delta A_N}{A_N} < 5\%$$

$$\frac{\Delta A_N}{A_N} < 5\%$$

- P_T uncertainty
 - Energy 10%
 - Angle 6%

$$\frac{\Delta P_T}{P_T} < 12\%$$

$$\frac{\Delta A_N}{A_N} < 5\%$$

Total Systematic Asymmetry Error
Common to all data points.

$$\frac{\Delta A_N}{A_N} < 15\%$$

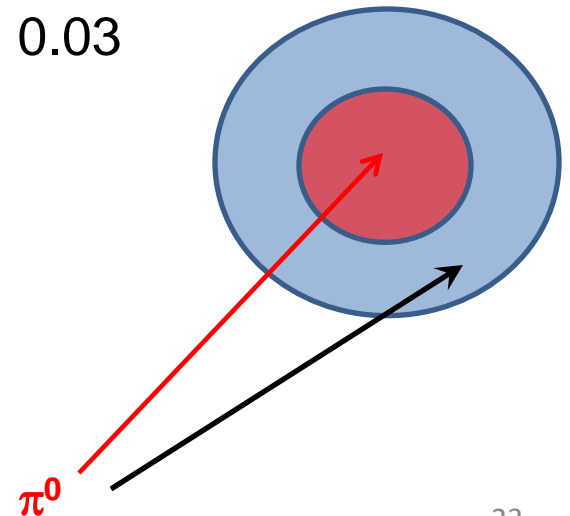


Conclusion

STAR π^0 A_N at $\sqrt{s}=500$ GeV

- A_N increases with X_F (as seen at lower energies).
- A_N less dependent on P_T that models predict to $P_T \sim 10$ GeV/c.
Data may be consistent with flat dependence on P_T .
- A_N larger for isolated π^0 s.
- π^0 events with additional E&M signals in the same general direction as the π^0 ($> \sim 5$ GeV between 0.03 and 0.07 radians from the π^0)
contribute little to the observed Transverse Single Spin Asymmetry.

- **New Data Coming RHIC RUN 12**
 - ~20 pb⁻¹ of $\sqrt{s}=200$ GeV pp
 - ~Transversely Polarized FMS data
 - ~ Similar measurement up to $P_T > 6$ GeV/c



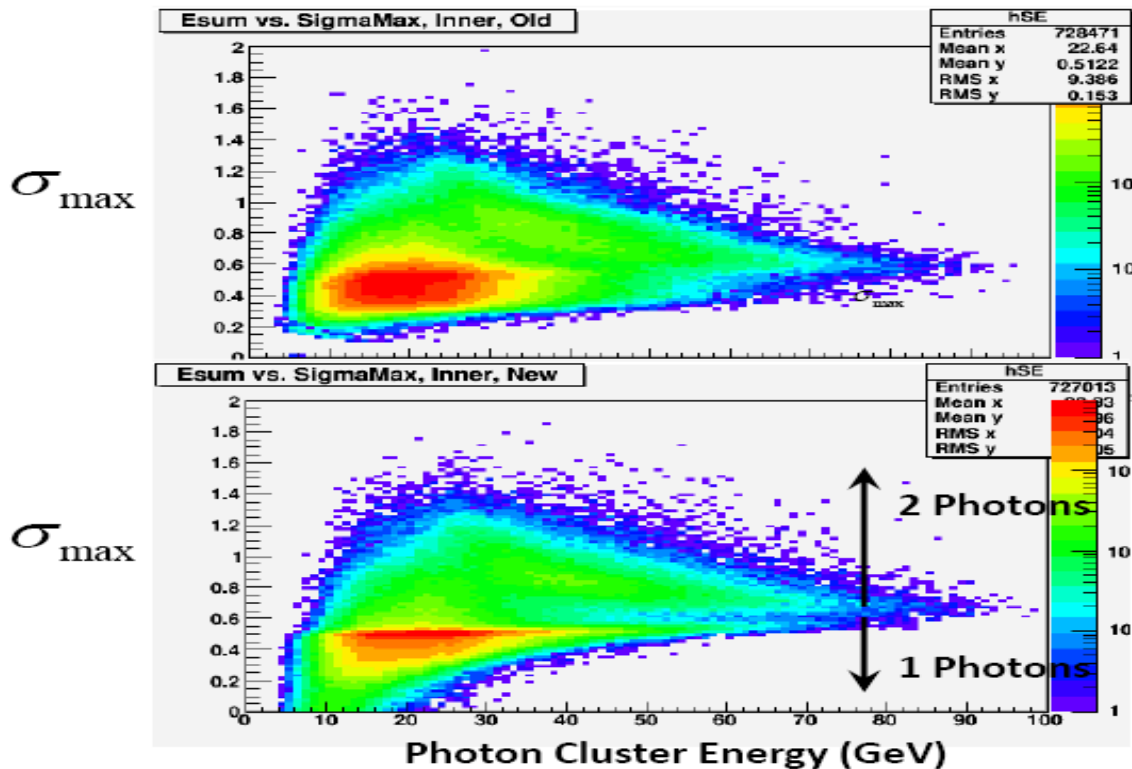
Extra

$$\Delta\sigma_x^2 = \frac{\sum_{i(e_i > e_0)} (x_i - x_0)^2 \ln(e_i / e_0)}{\sum_{i(e_i > e_0)} \ln(e_i / e_0)}$$

$$\Delta\sigma_x \Delta\sigma_y = \frac{\sum_{i(e_i > e_0)} (x_i - x_0)(y_i - y_0) \ln(e_i / e_0)}{\sum_{i(e_i > e_0)} \ln(e_i / e_0)}$$

Separation of single photon cluster from two photon cluster based upon distribution of shower energy along a preferred axis.

$$\sigma_{\max} \equiv \text{Max Eigenvalue of } \begin{bmatrix} \Delta\sigma_x^2 & \Delta\sigma_x \Delta\sigma_y \\ \Delta\sigma_y \Delta\sigma_x & \Delta\sigma_y^2 \end{bmatrix}$$



Old algorithm with Energy weighted moments

Improved algorithm with log energy weighted moments.

Provides clearer separation Between π^0 and single photon. Clusters up to ~ 80 GeV.

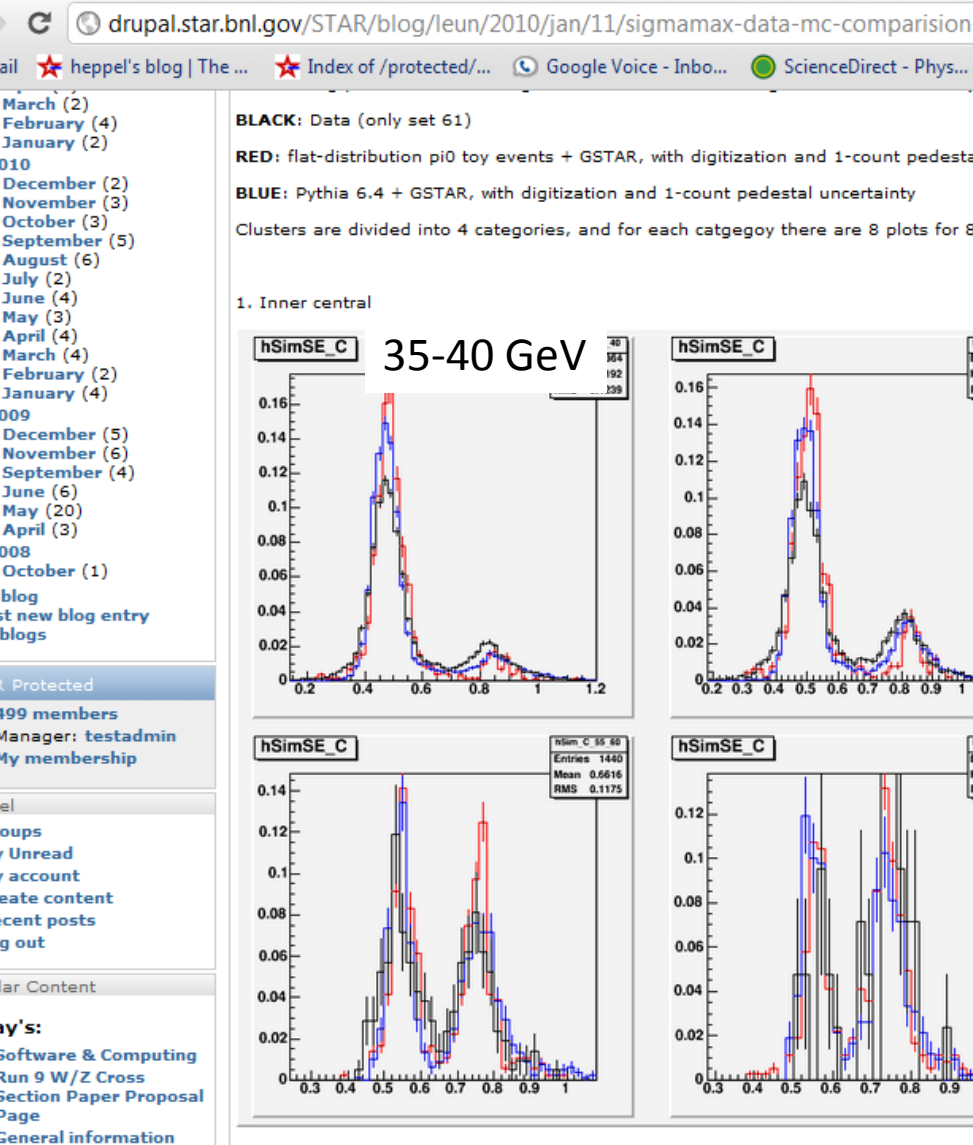
From Len's Analysis,

-Single Photon peak changes little with Energy
Single peak at $\text{SigmaMax} \sim .5$

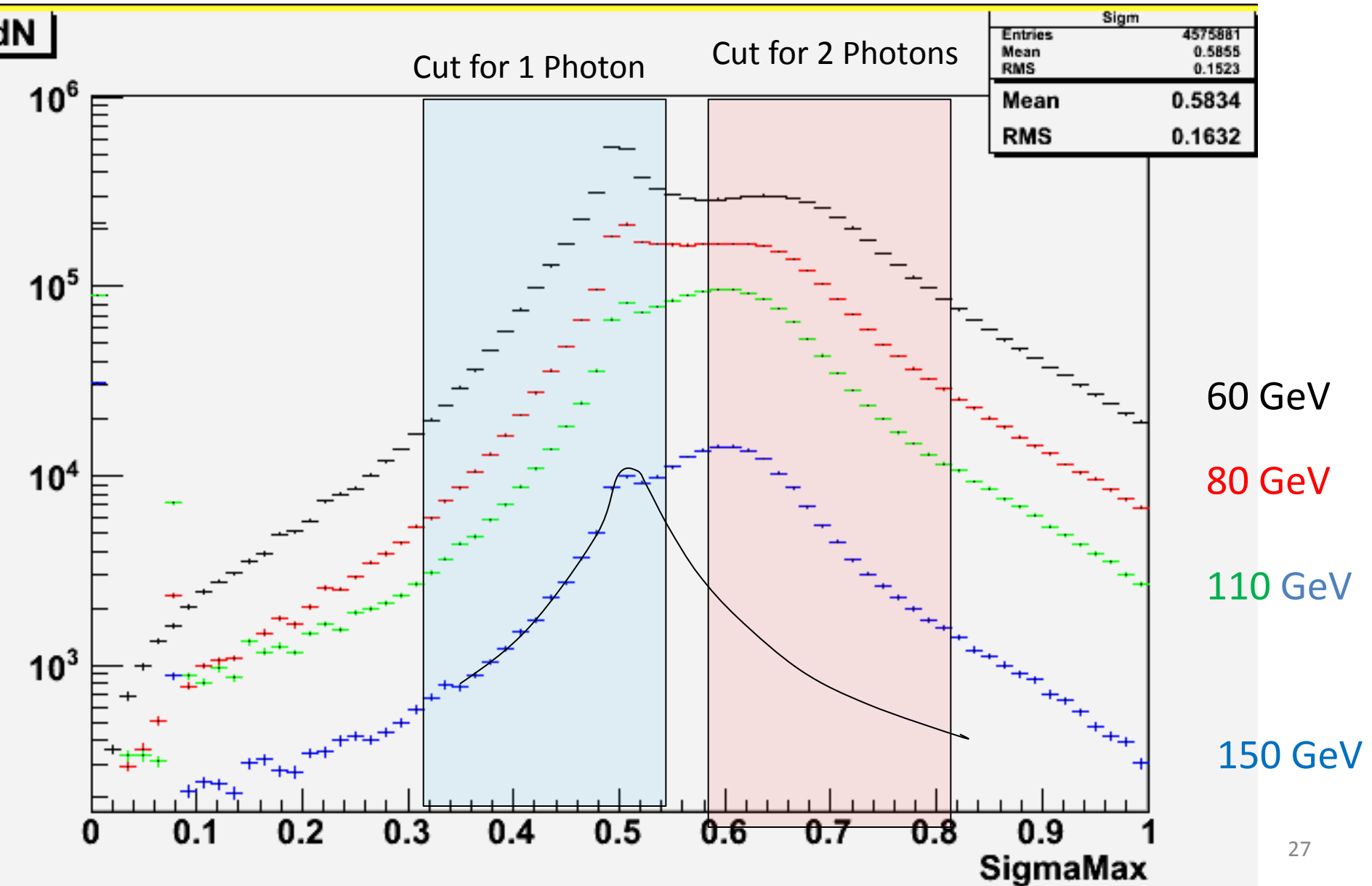
-Two Photon peak moves toward the Single photon peak as energy increases
Double SigmaMax Peak

38 GeV $\langle \text{SigmaMax} \rangle \sim .85$

73 GeV $\langle \text{SigmaMax} \rangle \sim .75$

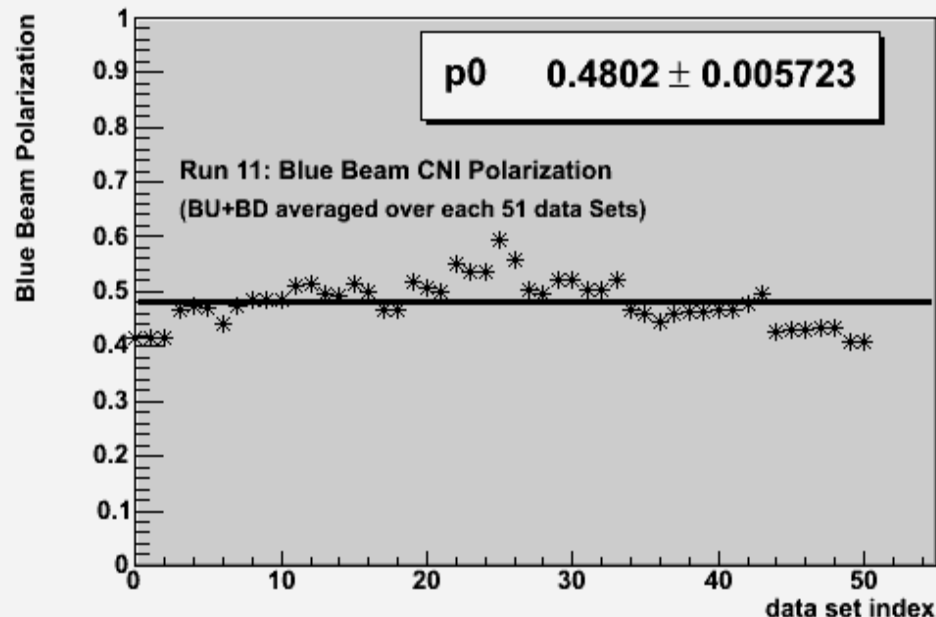


Run 11 distributions of SigmaMax as a indicator of single photon vs π^0 only slowly degrades with higher energy.



Blue Beam Polarization Measurements

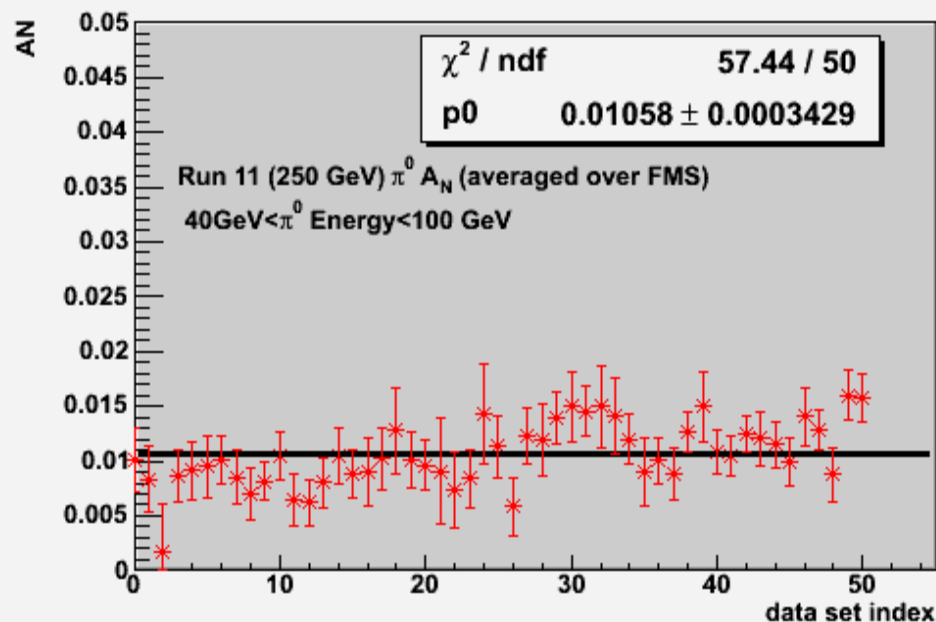
- CNI polarimeter data
- Average polarization for 51 consecutive time periods
each data set represents
~ ½ day of running.



As from previous slide:

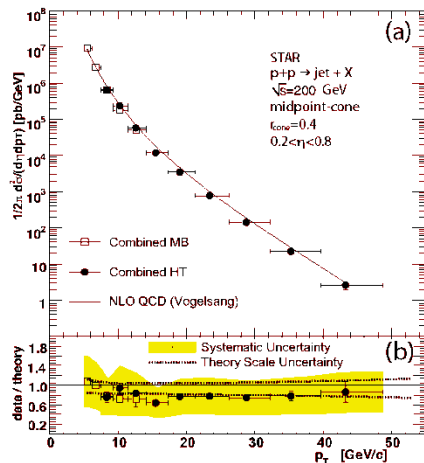
For the “ A_N vs $\cos(\phi)$ ”
fits to all FMS data divided into the
51 consecutive time periods.

- 22.4 pb^{-1}
- $2.6 < \text{pseudorapidity} < 4.1$
- $40 \text{ GeV} < \text{Energy } \pi^0 < 100 \text{ GeV}$
- Average polarization 48%
- Corrected each of 51
sets (each set ~ ½ day of data)

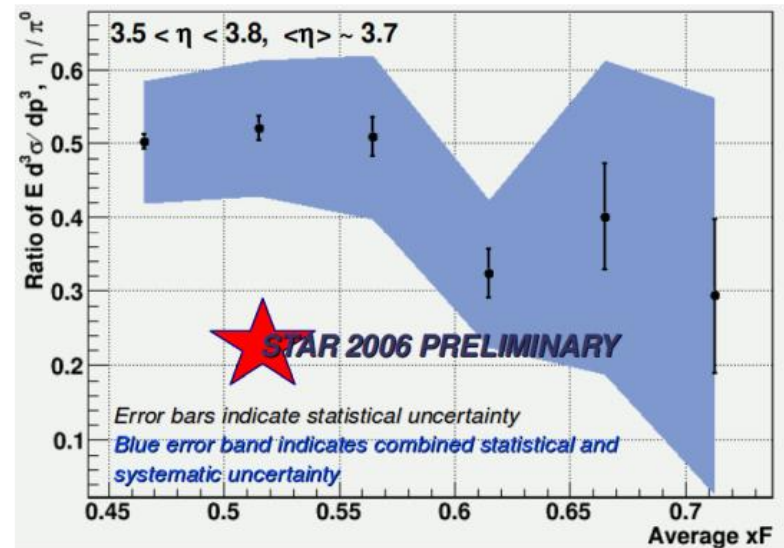
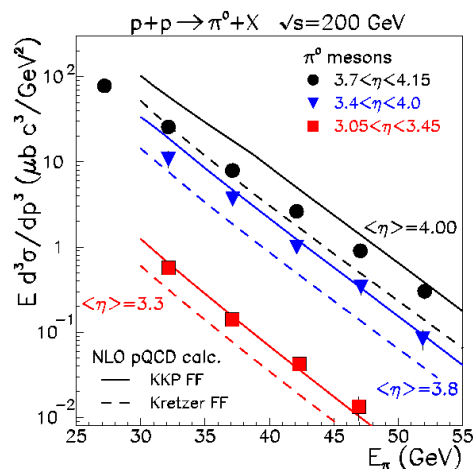


Unpolarized Cross Sections agree with Collinear Factorization PQCD

PRL 97, 252001



PRL 97, 152302

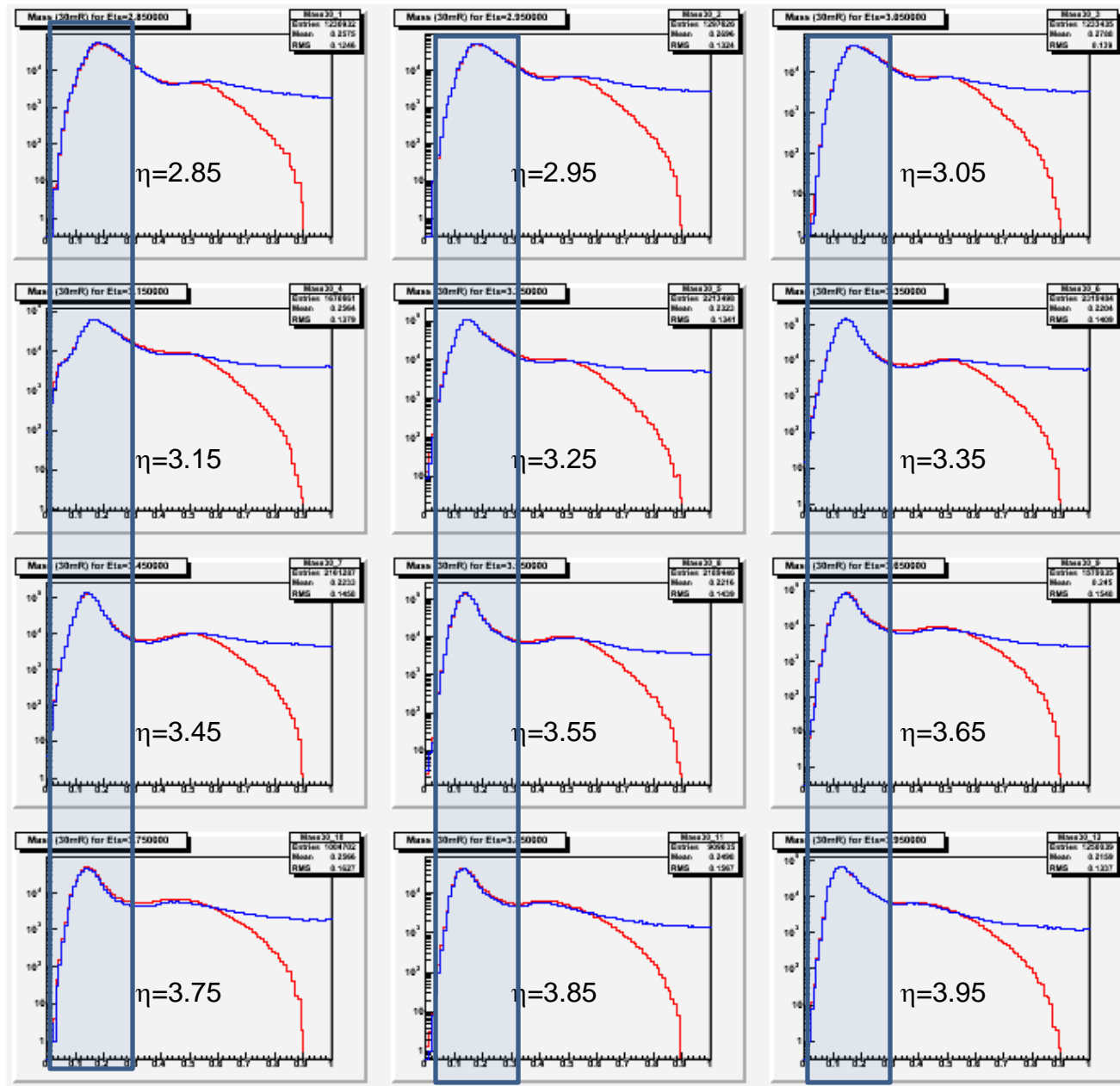


- Jet Mid-rapidity (Left) and Pi0 Forward Rapidity (right)
- Cross section for π^0 nominally consistent with NLO pQCD.
- Cross section for η (with nominal fragmentation) may also be consistent.



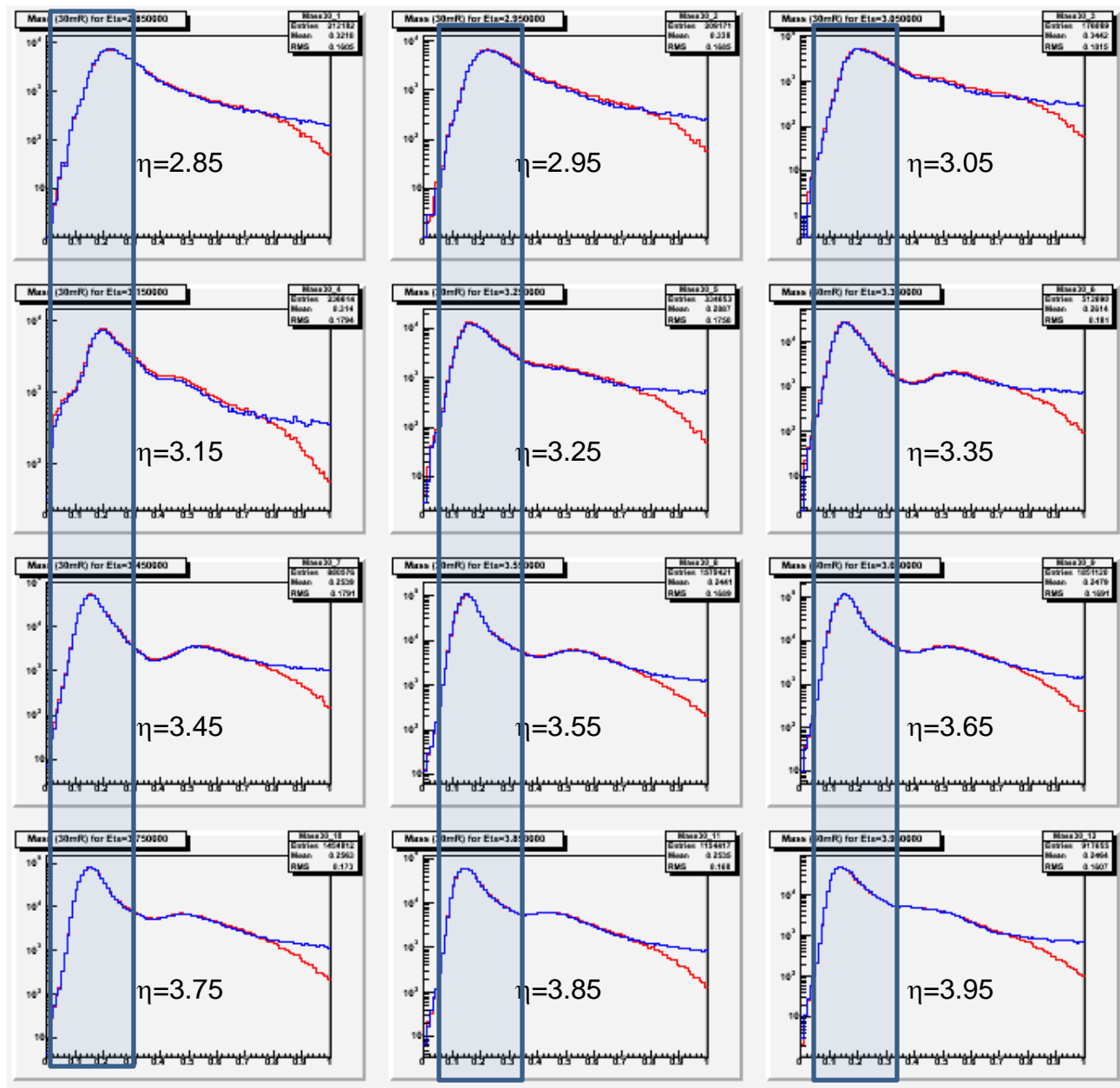
Mass Distribution in η bins ($40 < E < 60$ GeV) $r=1.53$

Red=(cone 30 mR) Blue=1.53 (cone 70 mR)



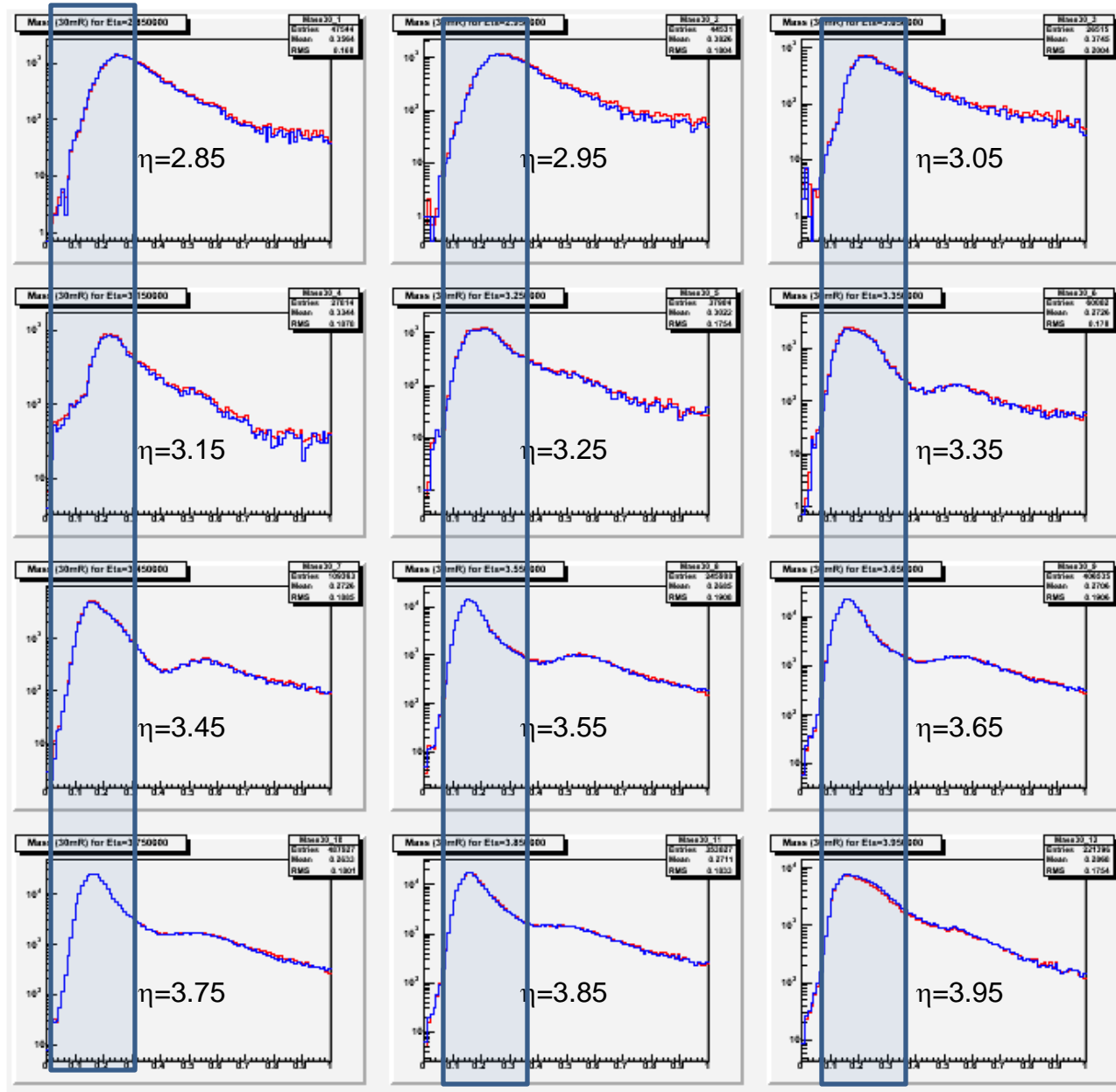
Mass Distribution in η bins ($60 < E < 80$ GeV) $r=1.41$

Red=(cone 30 mR) Blue=1.41(cone 70 mR)



Mass Distribution in η bins ($80 < E < 100$ GeV) $r=1.37$

Red=(cone 30 mR) Blue=1.37(cone 70 mR)



Calculate the **asymmetry** and **error** associated with the “Extra Events” that are included in the 30 mR cone but not the 70 mR Cone

Let A_{N30} be the Asymmetry for the 30mR cone

Let A_{N70} be the Asymmetry for the 70mR cone

Let ΔA_{N30} and ΔA_{N70} be the Errors.

Let N_{30} and N_{70} be the numbers of events.

$$A_{N30} = \frac{N_{u30} - N_{d30}}{N_{u30} + N_{d30}} = \frac{N_{u30} - N_{d30}}{N_{30}}$$

$$A_{N70} = \frac{N_{u70} - N_{d70}}{N_{70}}$$

$$\Delta A_{N30} \sim \frac{1}{\sqrt{N_{30}}}$$

$$\Delta A_{N70} \sim \frac{1}{\sqrt{N_{70}}}$$

Assume

E=50 GeV: r=1.51

E=70 GeV: r=1.41

E=90 GeV: r=1.31

$$\frac{N_{30}}{N_{70}} = r$$

$$\frac{N_{30}}{N_{30} - N_{70}} = \frac{r}{r - 1}$$

$$\frac{N_{70}}{N_{30} - N_{70}} = \frac{1}{r - 1}$$

$$A_{ring} = \frac{r}{r - 1} A_{N30} - \frac{1}{r - 1} A_{N70}$$

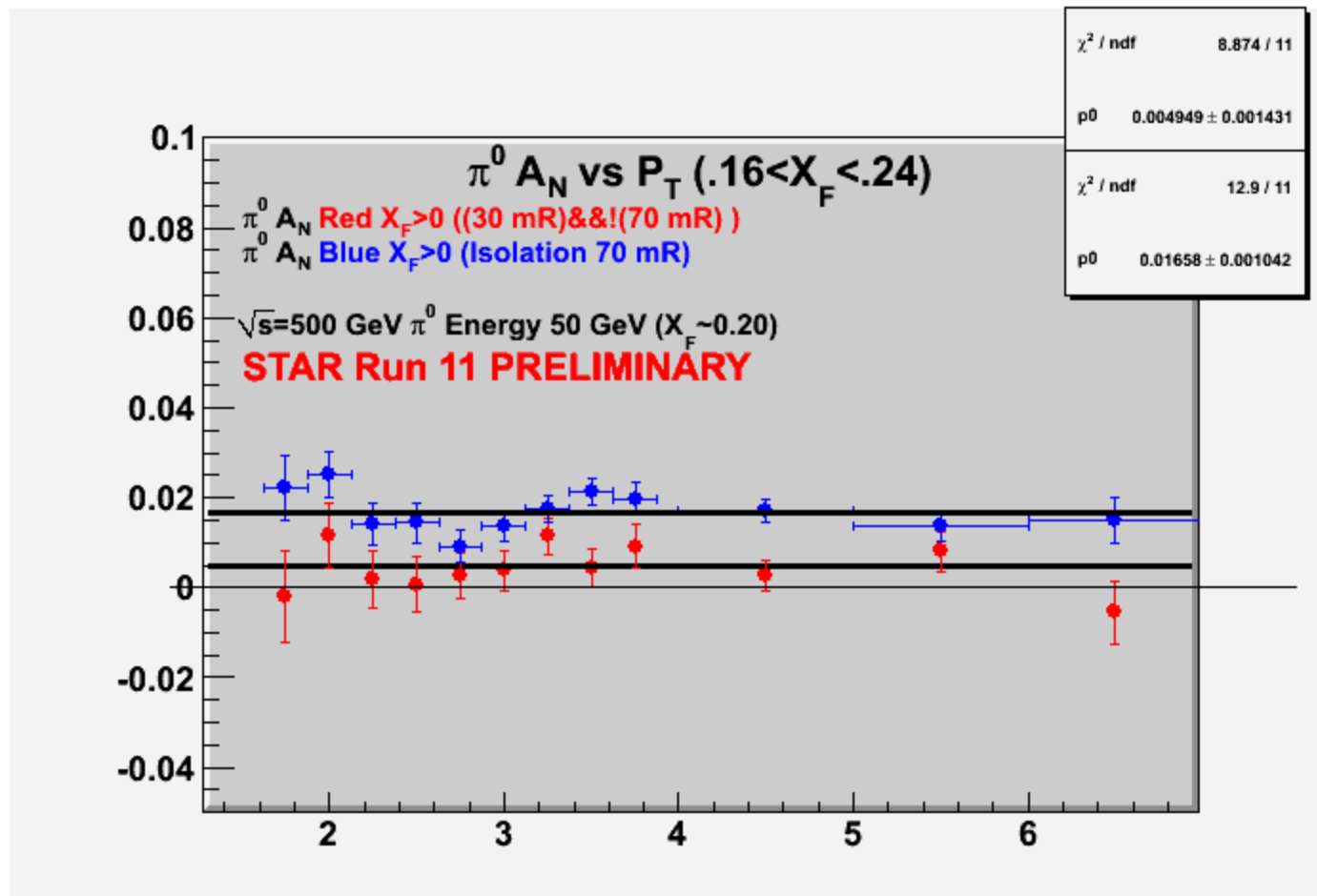
$$\begin{aligned} \Delta A_{ring} &= \frac{1}{\sqrt{N_{ring}}} = \frac{1}{\sqrt{N_{30} - N_{70}}} \\ &= \frac{1}{\sqrt{N_{70}}} \frac{1}{\sqrt{r - 1}} = \Delta A_{70} \frac{1}{\sqrt{r - 1}} \end{aligned}$$

Compare Fits to constant A_N

Red= 30mR cone but not 70 mR cont

Blue=70mR cone

Difference : $(1.66\% - .49\%)=1.17\%$ (8 sigma difference)

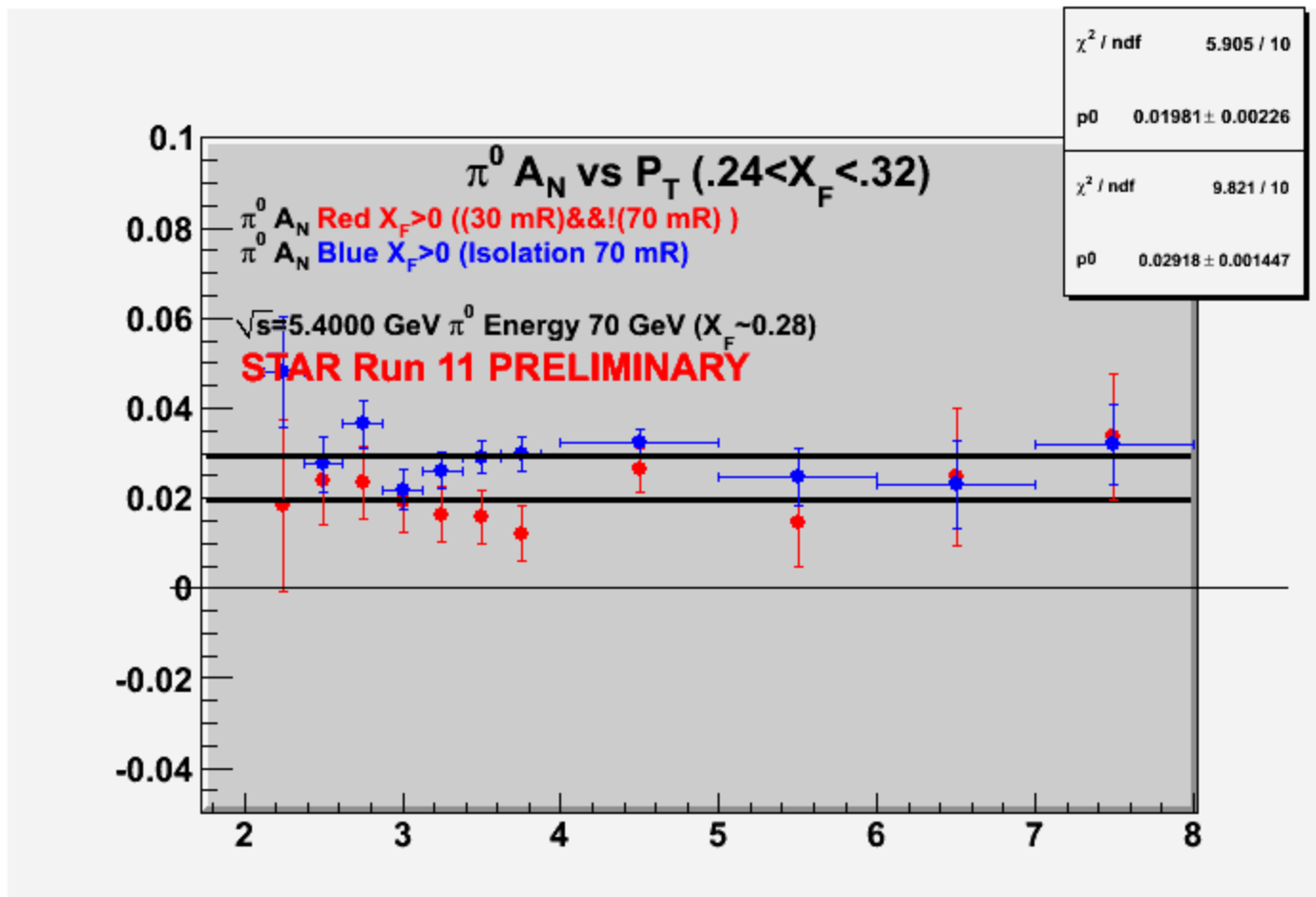


Compare Fits to constant A_N

Red= 30mR cone but not 70 mR cont

Blue=70mR cone

Difference $2.92\% - 1.98\% = 0.94\%$ (4 sigma difference)



Compare Fits to constant A_N

Red= 30mR cone but not 70 mR cont

Blue=70mR cone

Difference 3.57% - 3.44% = 0.13% (0.4 sigma difference)

