

# Run 15 Diffractive EM-jet $A_N$

## Part 2

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### Outline:

- RP cut study and event selection for the single diffractive event
- Background study for accidental coincidence (multiple collision event)
- Systematic uncertainty
- $A_N$  results
- Plans for the next step and paper proposal discussion

# General Information for the data set

- Data set: run 15 pp transverse  $\sqrt{s} = 200$  GeV ,fms stream
  - (production\_pp200trans\_2015)
- Production type: MuDst ; Production tag: P15ik
- Trigger for FMS : FMS small board sum, FMS large board sum and FMS-JP.
- EM-jet reconstruction: Anti- $k_T$  algorithm with  $R=0.7$ 
  - EM-jet: the jet reconstructed using only photons (FMS point).
  - Minimum  $p_T$  threshold based on trigger threshold

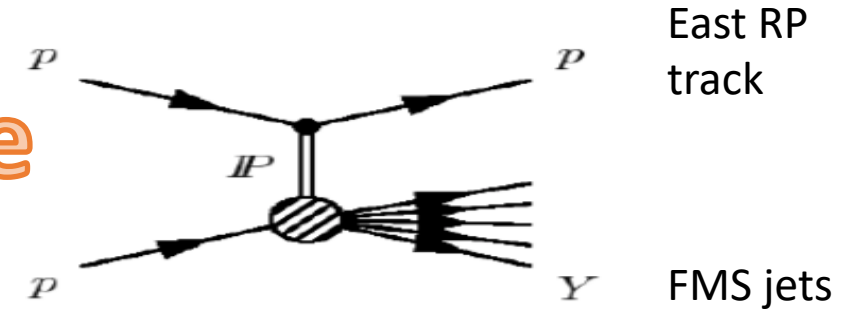
# Diffractive process

Case 1: (Single diffractive event)  
only 1 proton track on east side RP. No west side RP track requirement.

**Require:** small and large BBC east cut

East proton	Rapidity gap	FMS Jet
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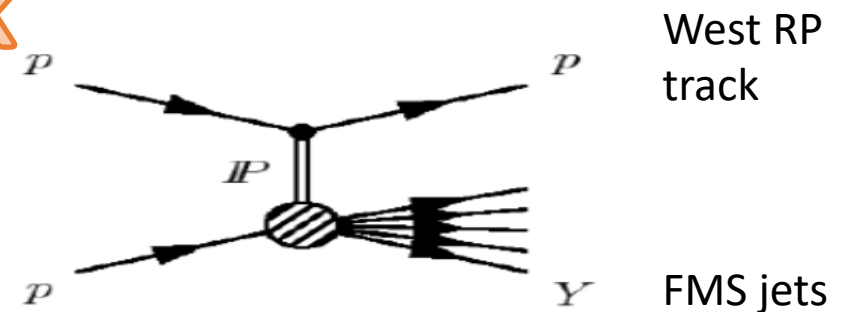


Case 2: (semi-exclusive process)  
only 1 proton track on west side RP. No requirement on east RP track

**Require:** small and large BBC west cut

	FMS Jet	Rapidity gap	West proton
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Last week



# Outline for studying the RP cuts and BBC cuts

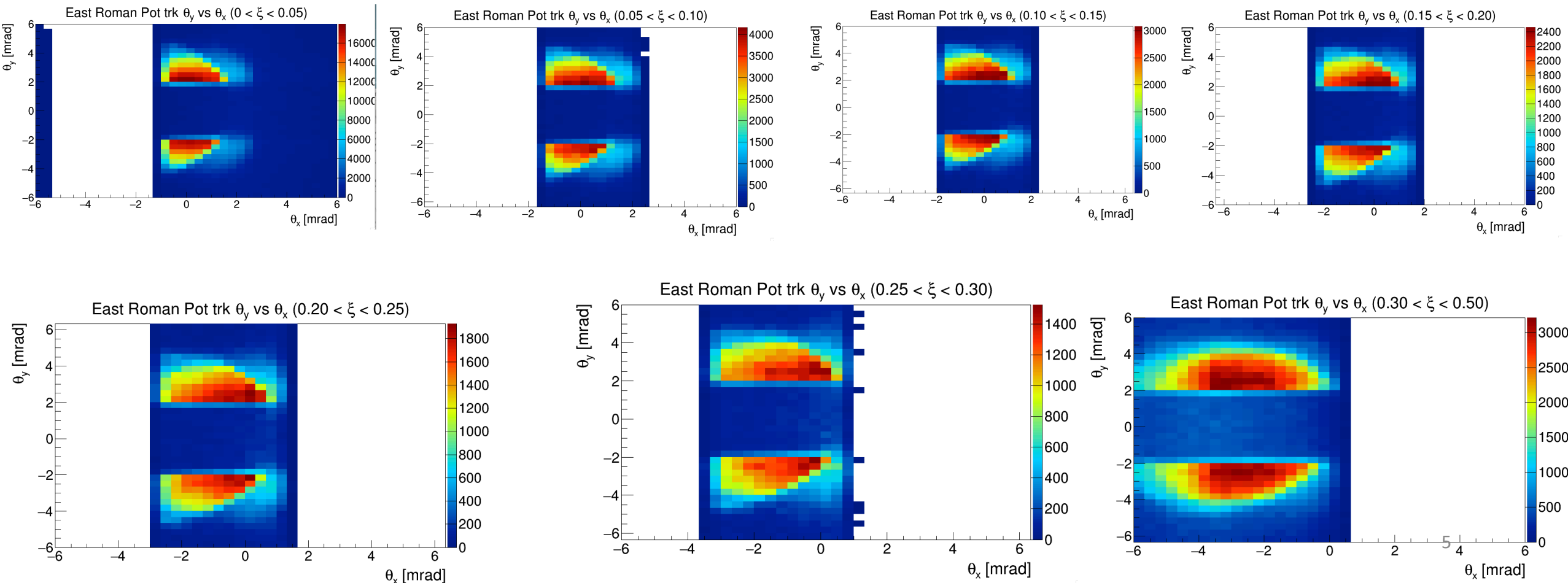
- Here are the idea and steps for considering the cuts for RP and BBC:
  1. Since we reach to the agreement that the low BBC threshold should be applied, we first apply a rough cut on small BBC east  $< 150$  . Goal: explore a rough RP  $P_X$  ,  $P_Y$  cuts for different  $\xi$  range.
  2. Apply the rough RP  $P_X$  ,  $P_Y$  cuts from step 1, study the small/large BBC east ADC distribution and consider further cuts for small/large BBC cuts.
  3. Apply the further cuts for east small/large BBC cuts, study the further RP  $P_X$  ,  $P_Y$  cuts, and  $\theta_X$  ,  $\theta_Y$  cuts for different  $\xi$  range.

$$\xi = \frac{P_{beam} - P_{RP}}{P_{beam}}$$

# East RP track $\theta_Y$ vs $\theta_X$ with different $\xi$ ranges

- Cuts applied at this stage: RP track hit at least 7 SSD planes , small BBC east  $< 150$

$$\left(\xi = \frac{P_{beam} - P_{RP}}{P_{beam}}\right)$$



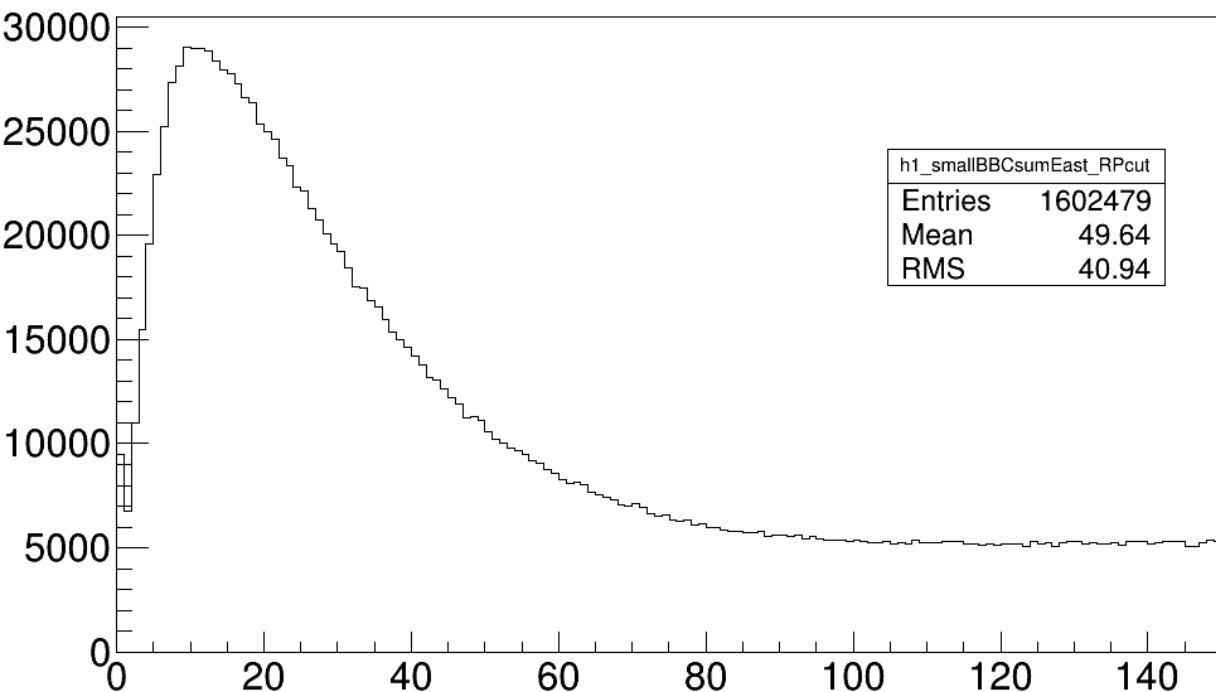
# Rough cut on the east RP track $\theta_X$ and $\theta_Y$

- Goal: explore the BBC cuts.
- We can consider the east RP  $\theta_Y$  cut:  $2 < |\theta_Y| < 4 \text{ mrad}$
- The east RP  $\theta_X$  cut can be applied with  $\xi$  dependent
- $0.0 < \xi < 0.05$ :  $-1. < \theta_X < 1.5 \text{ mrad}$
- $0.05 < \xi < 0.10$ :  $-1.25 < \theta_X < 1.25 \text{ mrad}$
- $0.10 < \xi < 0.15$ :  $-1.5 < \theta_X < 1.25 \text{ mrad}$
- $0.15 < \xi < 0.2$ :  $-2.0 < \theta_X < 0.75 \text{ mrad}$
- $0.2 < \xi < 0.25$ :  $-2.5 < \theta_X < 0.75 \text{ mrad}$
- $0.25 < \xi < 0.3$ :  $-3 < \theta_X < 0.5 \text{ mrad}$
- $0.3 < \xi < 0.5$ :  $-5 < \theta_X < -0.25 \text{ mrad}$
- Note: these are the rough cuts for east RP track  $\theta_X$  and  $\theta_Y$

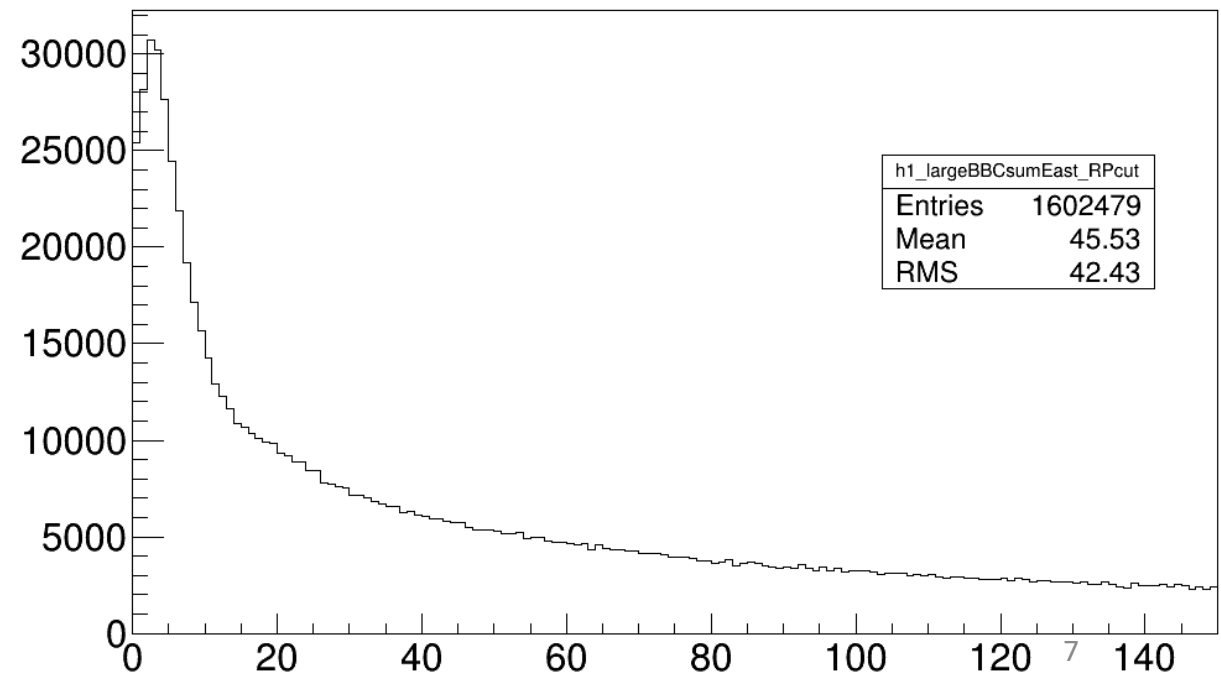
# East small and large BBC ADC sum after the rough east RP track $\theta_X$ and $\theta_Y$ cuts

- Temporally apply the rough east RP track  $\theta_X$  and  $\theta_Y$  cuts to study the east small and large BBC ADC sum.
- We can consider small BBC east ADC sum  $< 90$  and large BBC east  $< 80$

small BBC ADC sum for east side BBC (after RP cuts)

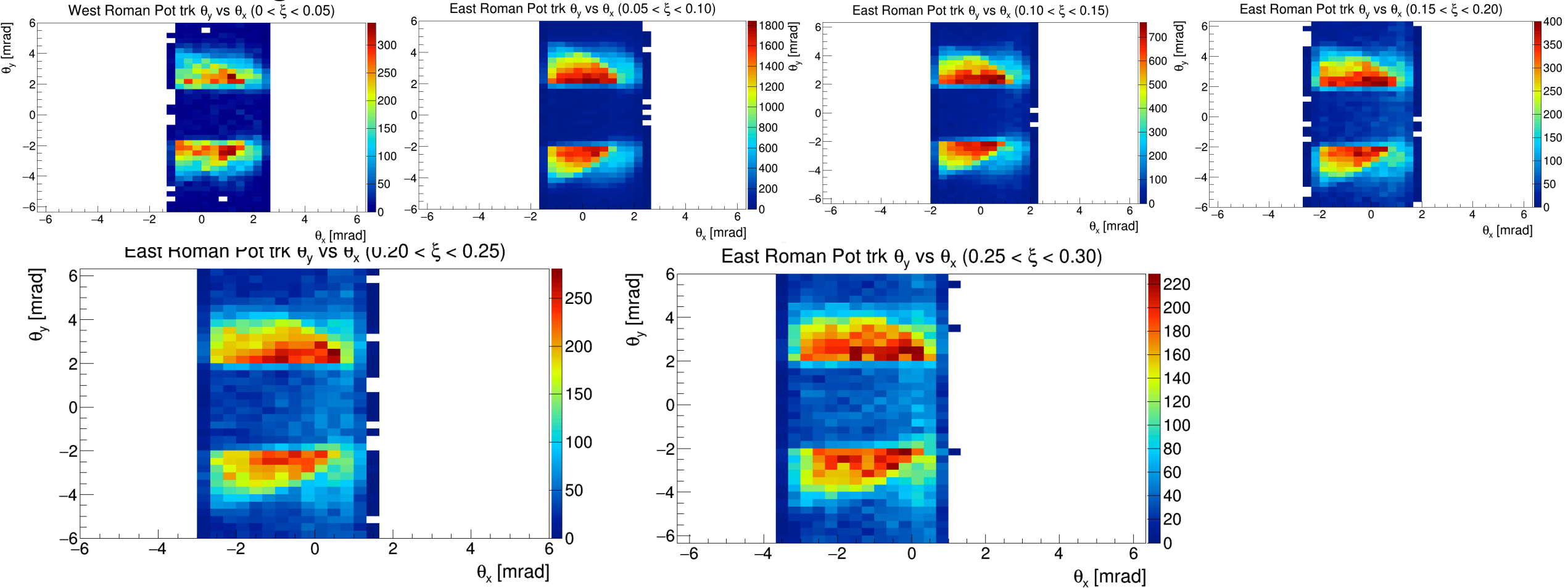


large BBC ADC sum for east side BBC (after RP cuts)



# East RP track $\theta_Y$ vs $\theta_X$ with different $\xi$ ranges

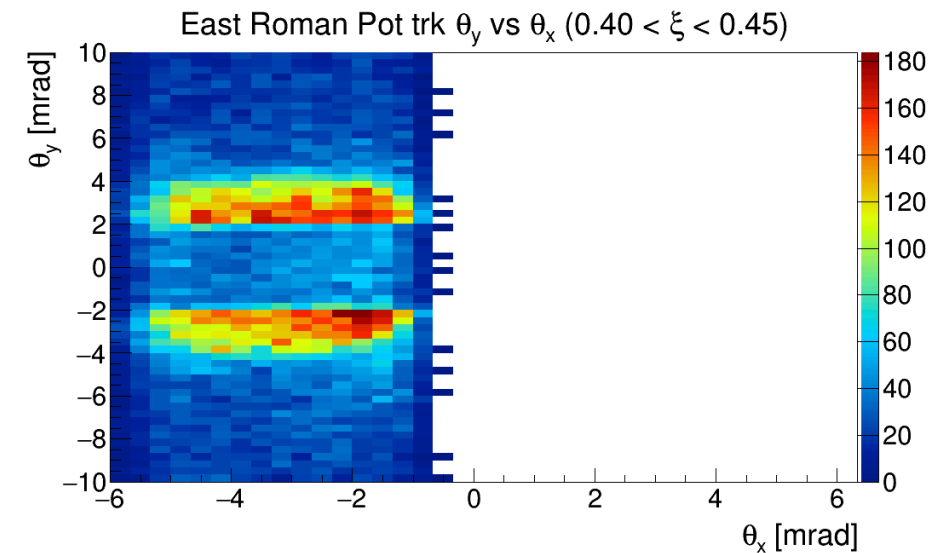
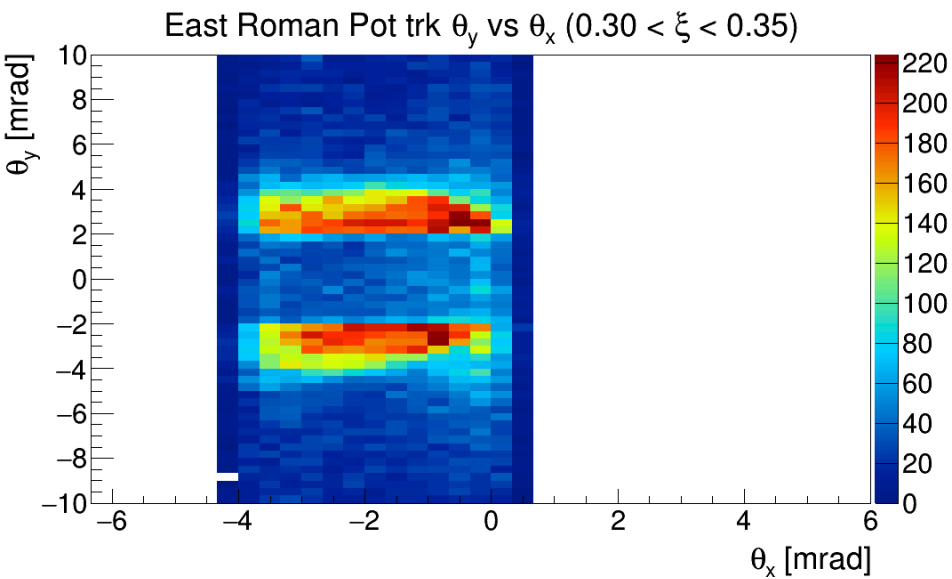
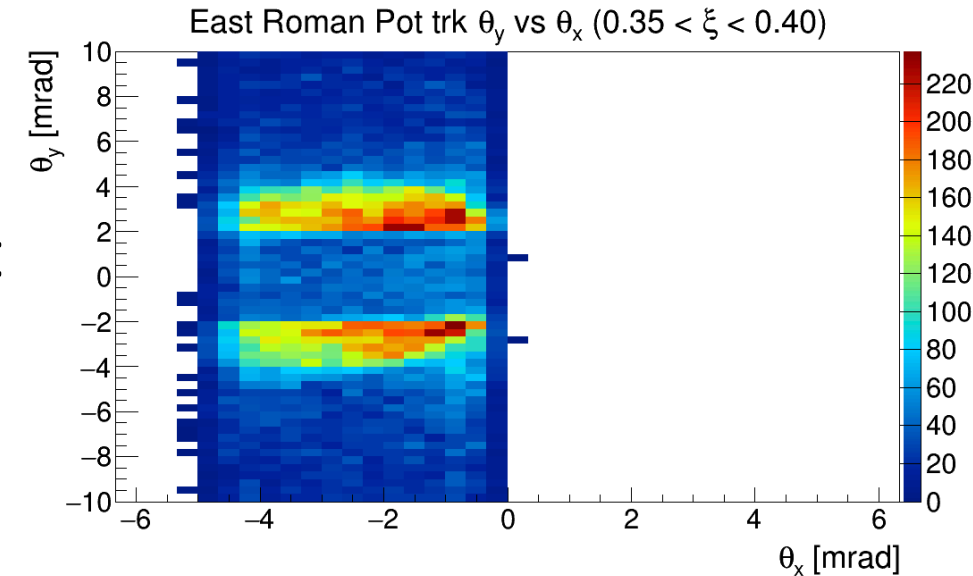
- Cross check after the small/large BBC east cuts
- Cuts applied at this stage: RP track hit at least 7 SSD planes , small BBC east ADC sum < 90 and large BBC east < 80





# East RP track $\theta_Y$ vs $\theta_X$ with different $\xi$ ranges

- Cross check after the small/large BBC east cuts
- Cuts applied at this stage: RP track hit at least 7 SSD planes , small BBC east ADC sum < 90 and large BBC east < 80

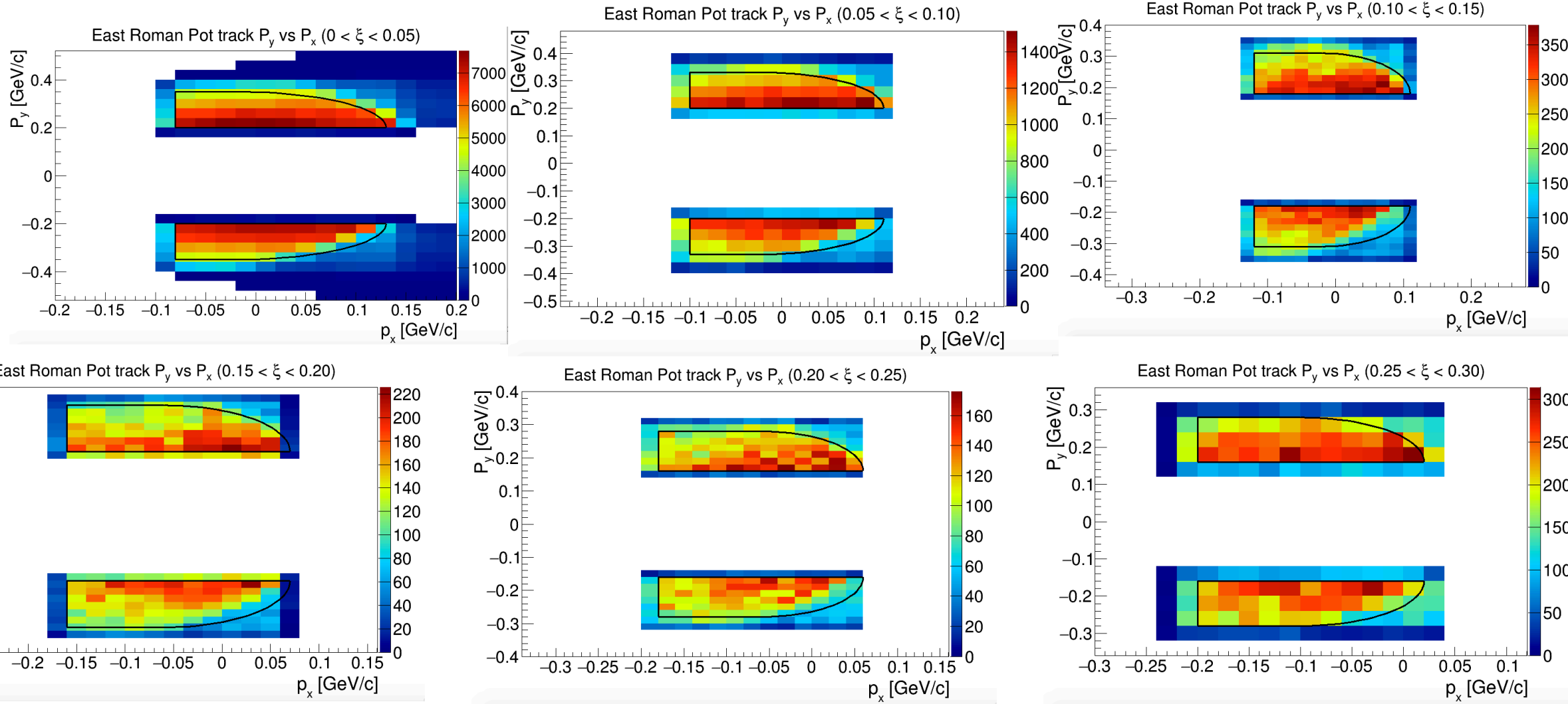


# Final cut on the **east** RP track $\theta_X$ and $\theta_Y$

- We can consider the east RP  $\theta_Y$  cut:  $2 < |\theta_Y| < 4 \text{ mrad}$
- The east RP  $\theta_X$  cut can be applied with  $\xi$  dependent
- $0.0 < \xi < 0.05$ :  $-1. < \theta_X < 1.5 \text{ mrad}$
- $0.05 < \xi < 0.10$ :  $-1.25 < \theta_X < 1.25 \text{ mrad}$
- $0.10 < \xi < 0.15$ :  $-1.5 < \theta_X < 1.25 \text{ mrad}$
- $0.15 < \xi < 0.2$ :  $-2.0 < \theta_X < 0.75 \text{ mrad}$
- $0.2 < \xi < 0.25$ :  $-2.5 < \theta_X < 0.75 \text{ mrad}$
- $0.25 < \xi < 0.3$ :  $-3 < \theta_X < 0.5 \text{ mrad}$
- $0.3 < \xi < 0.35$ :  $-3.5 < \theta_X < 0.25 \text{ mrad}$
- $0.35 < \xi < 0.4$ :  $-4.5 < \theta_X < -0.25 \text{ mrad}$
- $0.3 < \xi < 0.5$ :  $-5 < \theta_X < -0.5 \text{ mrad}$

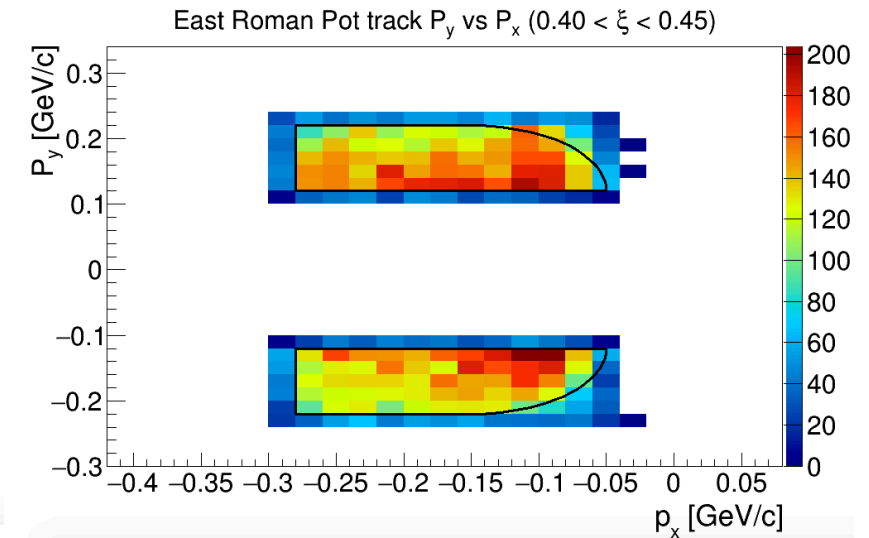
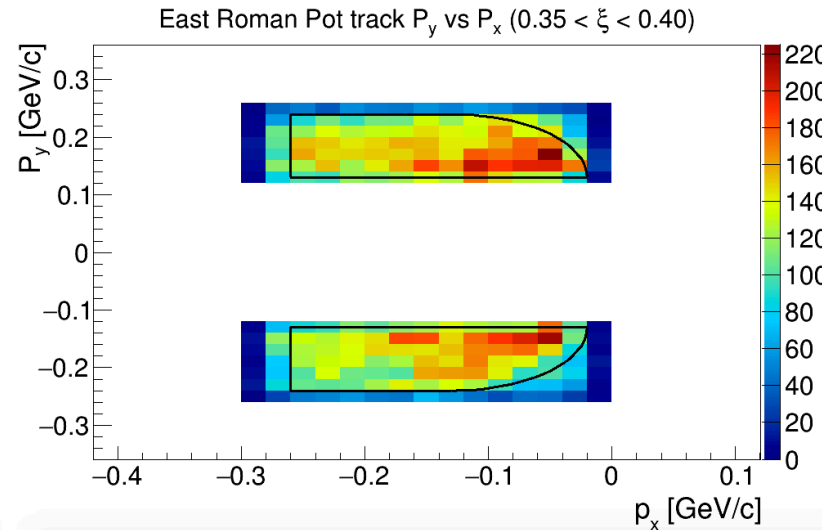
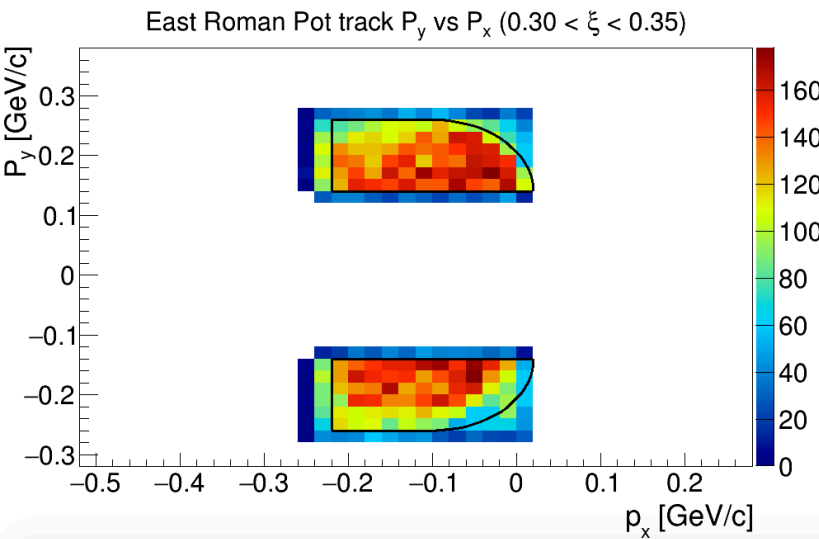
# East RP track $P_Y$ vs $P_X$

- Applying the BBC east small/large ADC sum cuts and RP  $\theta_X$  and  $\theta_Y$  cuts, we check the east RP track  $P_Y$  vs  $P_X$  distribution.
- Shape of each half: rectangle + quarter circle (black curve)



# East RP track $P_Y$ vs $P_X$

- Applying the BBC east small/large ADC sum cuts and RP  $\theta_X$  and  $\theta_Y$  cuts, we check the east RP track  $P_Y$  vs  $P_X$  distribution.
- Shape of each half: rectangle + quarter circle (black curve)



# List of east RP track $P_X$ and $P_Y$ cuts

- $0.0 < \xi < 0.05$ :  $(P_X + 0.02)^2 + (|P_Y| - 0.2)^2 < 0.15^2$  or  $-0.08 < P_X < -0.02$ , and  $0.2 < |P_Y| < 0.35$
- $0.05 < \xi < 0.1$ :  $(P_X + 0.02)^2 + (|P_Y| - 0.2)^2 < 0.13^2$  or  $-0.10 < P_X < -0.02$ , and  $0.2 < |P_Y| < 0.33$
- $0.1 < \xi < 0.15$ :  $(P_X + 0.02)^2 + (|P_Y| - 0.18)^2 < 0.13^2$  or  $-0.12 < P_X < -0.02$ , and  $0.18 < |P_Y| < 0.31$
- $0.15 < \xi < 0.2$ :  $(P_X + 0.06)^2 + (|P_Y| - 0.18)^2 < 0.13^2$  or  $-0.16 < P_X < -0.05$ , and  $0.18 < |P_Y| < 0.31$
- $0.2 < \xi < 0.25$ :  $(P_X + 0.06)^2 + (|P_Y| - 0.16)^2 < 0.12^2$  or  $-0.18 < P_X < -0.06$ , and  $0.16 < |P_Y| < 0.28$
- $0.25 < \xi < 0.3$ :  $(P_X + 0.10)^2 + (|P_Y| - 0.16)^2 < 0.12^2$  or  $-0.20 < P_X < -0.10$ , and  $0.16 < |P_Y| < 0.28$
- $0.3 < \xi < 0.35$ :  $(P_X + 0.10)^2 + (|P_Y| - 0.14)^2 < 0.12^2$  or  $-0.22 < P_X < -0.10$ , and  $0.14 < |P_Y| < 0.26$
- $0.35 < \xi < 0.4$ :  $(P_X + 0.13)^2 + (|P_Y| - 0.13)^2 < 0.11^2$  or  $-0.26 < P_X < -0.13$ , and  $0.13 < |P_Y| < 0.24$
- $0.4 < \xi < 0.45$ :  $(P_X + 0.15)^2 + (|P_Y| - 0.12)^2 < 0.1^2$  or  $-0.28 < P_X < -0.15$ , and  $0.12 < |P_Y| < 0.22$

# Event selection and corrections

- **FMS**
    - 9 Triggers, veto on FMS-LED
    - Only 1 EM-jet per event is allowed
    - bit shift, bad / dead / hot channel masking (include fill by fill hot channel masking)
    - Jet reconstruction: StJetMaker2015 , Anti-kT,  $R < 0.7$  , FMS point energy  $> 2$  GeV,  $p_T > 1$  GeV/c, trigger  $p_T$  threshold cut, FMS point as input.
  - **Only allow acceptable beam polarization (up/down).**
  - **Vertex** (Determine vertex z priority according to TPC , VPD, BBC.)
    - Vertex  $|z| < 80$  cm
  - **Roman Pot and Single Diffractive process:**
  - Acceptable cases:
    1. Only 1 east RP track , no requirement on west RP
      - RP track must be good track:
        - a) Each track hits  $> 6$  planes
        - b) East RP  $\xi$  dependent  $\theta_X$  ,  $\theta_Y$  ,  $P_X$  and  $P_Y$  cuts
  - East Large BBC ADC sum  $< 80$  and East Small BBC ADC sum  $< 90$
- Corrections:**  
EM-jet energy correction and Underlying Event correction

# Background study: zerobias stream

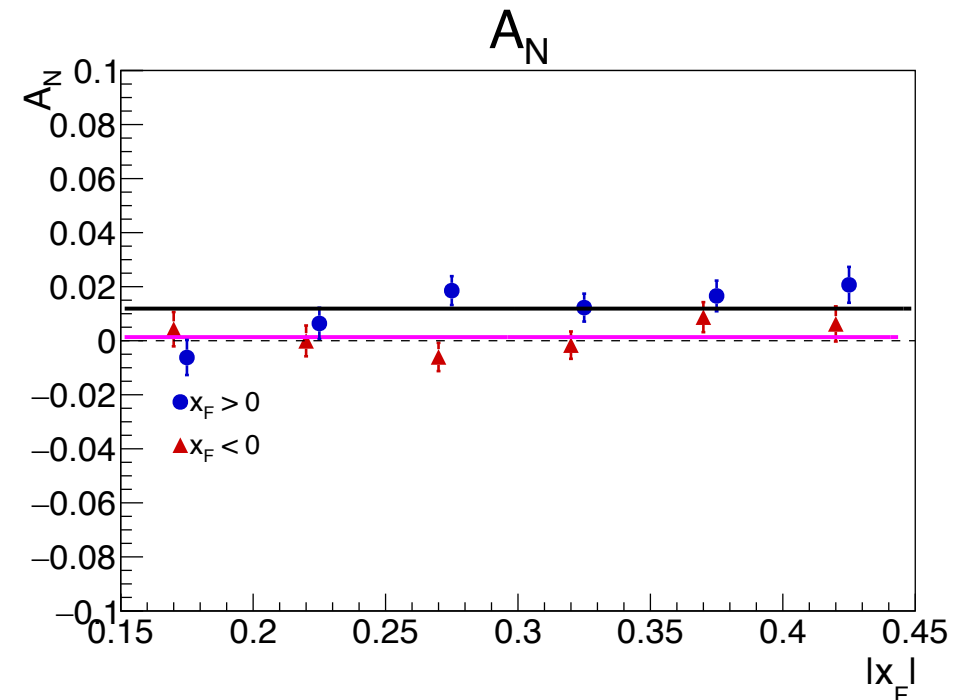
- Motivation: study the fraction of east RP coincident rate as accidental coincidence (multiple collision event).
- Data production and stream : **production\_pp200trans\_2015 , st\_zerobias\_adc**
- Production tag: P16id
- The BBC east cuts are same as FMS data
- Event distribution:
  - Total N events: 724,485
  - 3538 events (0.49%) contain 1 east good RP track (no BBC east cuts)
  - **1478 events (0.20%) contain 1 east good RP track (with BBC east cuts)**
  - 89 events (0.012%) contain 1 east good RP track and 1 west good RP track.
- Therefore, about 0.2% of the events are the accidental coincidences, and should be the same rate for every process.

# Background study: FMS EM-jet and east BBC veto (RG)

- The process with FMS EM-jets and east BBC veto are one potential source of the background.
  - The east BBC covers a unit of 3 for pseudorapidity gap. We call it RG event set.
  - They are a subset of inclusive process.
  - The random coincidence of the single diffractive events in the RG is 0.2%
- Event selections:
  - The same FMS EM-jets cuts
  - The same east BBC cuts.

East Large BBC ADC sum < 80 and East Small BBC ADC sum < 90

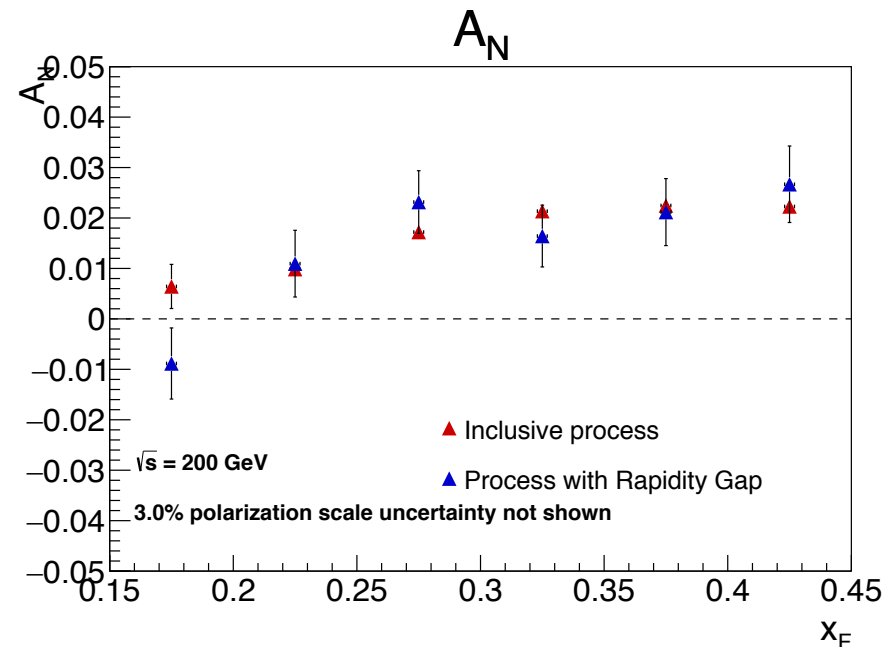
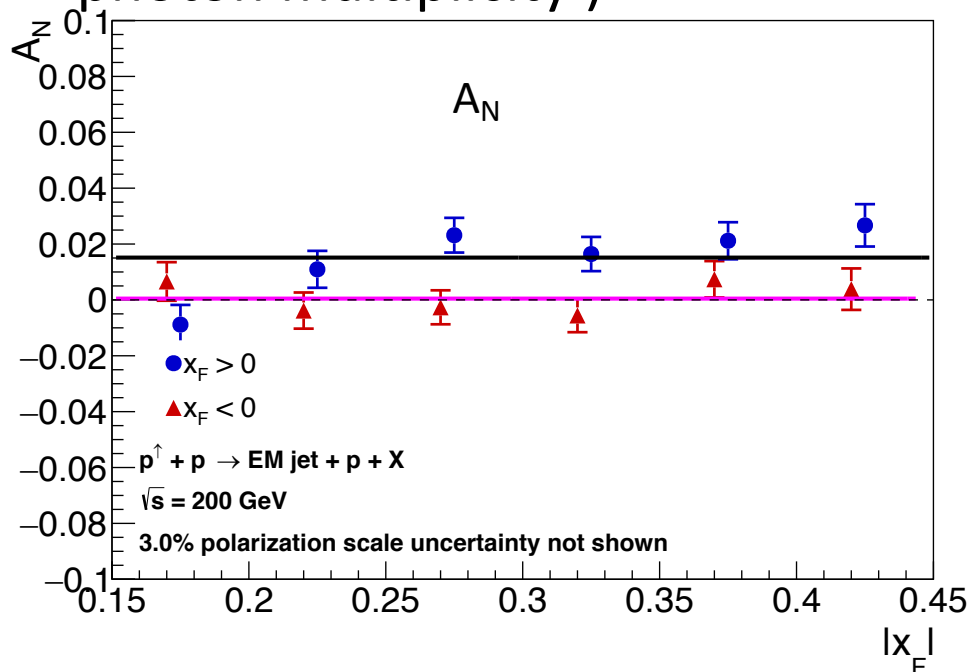
The results are the  $A_N$  of RG events with all photon multiplicity EM-jets.





# Background study: FMS EM-jet and east BBC veto (RG)

- RG events with 1 or 2 photon multiplicity EM-jets.
- Event selections:
  - The same FMS EM-jets cuts
  - The same east BBC cuts    East Large BBC ADC sum < 80 and East Small BBC ADC sum < 90
- Comparison (right plot) between inclusive process and RG events for  $A_N$  (1 or 2 photon multiplicity)



# Background study: Estimate the Accidental coincidence

- **Accidental Coincidence (AC)** (multiple collision event) are coming from the situation that the FMS EM-jets and the east RP tracks are not correlated, i.e. the FMS EM-jets and the east RP tracks are coming from multiple collisions.
- The random coincidence of the single diffractive events in the RG events is 0.2%

- Background fraction:

$$frac_{bkg} = \frac{n_{AC}}{n_{mea}} = \frac{n_{AC}}{n_{RG}} \times \frac{n_{RG}}{n_{mea}}$$

$n_{AC}$  number of accidental events in the analysis

$n_{mea}$  is the number of events counted after the event selection for the analysis (FMS EM-jet + East RP + East BBC veto)

Need to be measured

# Calculate the background fraction

- We use the process with FMS EM-jets and east BBC (RG).
  - All photon multiplicity , 1 or 2 photon multiplicity
- Event selections:
  - The same FMS EM-jets cuts
  - The same east BBC cuts.

East Large BBC ADC sum < 80 and East Small BBC ADC sum < 90

$$frac_{bkg} = \frac{n_{AC}}{n_{mea}} = \frac{n_{AC}}{n_{RG}} \times \frac{n_{RG}}{n_{mea}}$$

0.2%

- Calculate the yields for events with EM-jet in different  $x_F$  bins.

$x_F$	$frac_{bkg}$ for all photon multiplicity	$frac_{bkg}$ for 1 , 2 photon multiplicity
0.1 – 0.2	1.5%	1.5%
0.2 – 0.25	1.5%	1.5%
0.25 – 0.3	1.5%	1.6%
0.3 – 0.35	1.6%	1.6%
0.35 – 0.4	1.6%	1.6%
0.4 – 0.45	1.7%	1.7%

# Signal $A_N$ and its error propagation

- $A_N(sig) = \frac{A_N(meas) - frac(bkg) * A_N(bkg)}{frac(sig)} = \frac{A_N(meas) - frac(bkg) * A_N(bkg)}{1 - frac(bkg)}$

- $\sigma^2 = \left( \frac{\partial A_N(sig)}{\partial A_N(meas)} \right)^2 \sigma A_N^2(meas) + \left( \frac{\partial A_N(sig)}{\partial frac(bkg)} \right)^2 \sigma frac^2(bkg) + \left( \frac{\partial A_N(sig)}{\partial A_N(bkg)} \right)^2 \sigma A_N^2(bkg)$

- $= \left( \frac{1}{1 - frac(bkg)} \right)^2 \sigma A_N^2(meas) + \left( \frac{A_N(sig)}{1 - frac(bkg)} \right)^2 \sigma frac^2(bkg) + \left( \frac{frac(bkg)}{1 - frac(bkg)} \right)^2 \sigma A_N^2(bkg)$

- $= \left( \frac{1}{frac(sig)} \right)^2 \sigma A_N^2(meas) + \left( \frac{A_N(sig)}{frac(sig)} \right)^2 \sigma frac^2(bkg) + \left( \frac{frac(bkg)}{frac(sig)} \right)^2 \sigma A_N^2(bkg)$

# Uncertainty from background

- $A_N(sig) = \frac{A_N(meas) - frac(bkg) * A_N(bkg)}{frac(sig)} = \frac{A_N(meas) - frac(bkg) * A_N(bkg)}{1 - frac(bkg)}$
- Since the fraction of background is small, it will have little effect on the  $A_N$ , but we will assign the different for statistical uncertainty w/wo correction as systematic. Assign them to systematic uncertainty.

- $\sigma_{bkg} = \sqrt{\sigma_{cor}^2 - \sigma_{uncor}^2}$

- $\sigma^2 = \left(\frac{1}{frac(sig)}\right)^2 \sigma A_N^2(meas) + \left(\frac{A_N(sig)}{frac(sig)}\right)^2 \sigma frac^2(bkg) + \left(\frac{frac(bkg)}{frac(sig)}\right)^2 \sigma A_N^2(bkg)$

Only need to consider!

$\sigma frac^2(bkg)$  is small,  
this term is neglectable

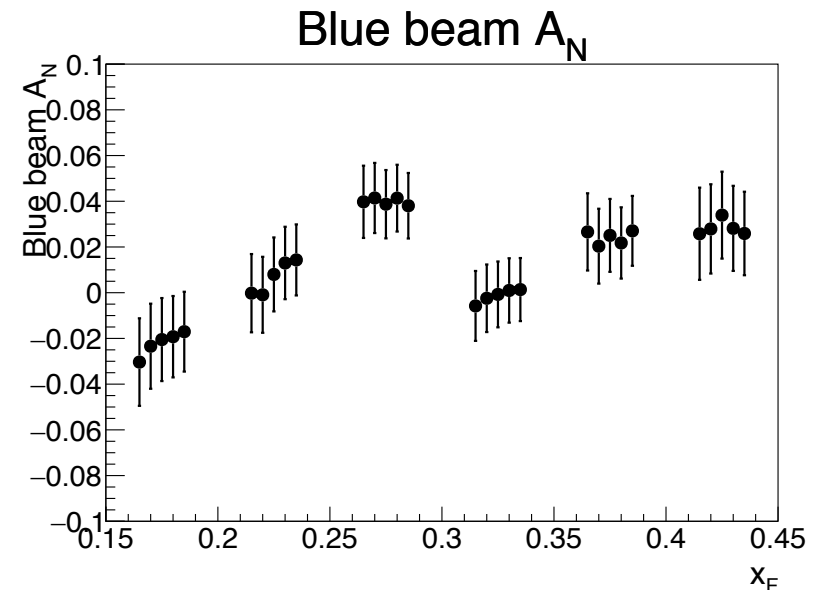
$\frac{frac(bkg)}{frac(sig)}$  is small, this  
term is neglectable

# Systematic uncertainty

- We use Bayesian method for systematic uncertainty study. (ref: [arXiv:hep-ex/0207026](https://arxiv.org/abs/2007.026))
- First of all, for the cuts we choose, varying each individual cut value for calculating the asymmetry.
  - Small BBC east ADC sum cuts: choose  $< 70$ ,  $< 80$ ,  $< 100$ ,  $< 110$  for systematic uncertainty
  - Large BBC east ADC sum cuts: choose  $< 60$ ,  $< 70$ ,  $< 90$ ,  $< 100$  for systematic uncertainty
  - Ring of Fire (get rid of small-bs-3 trigger).
  - Background

Example: Small BBC east cuts

Each  $x_F$  set, from left to right:  
varying the cuts from original:  
-20, -10, 0, +10, +20

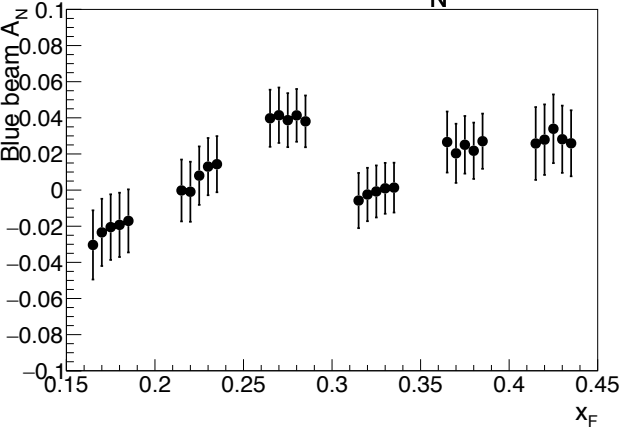


# $A_N$ results for varying the cuts (systematic)

All photon multiplicity

Small BBC east cuts

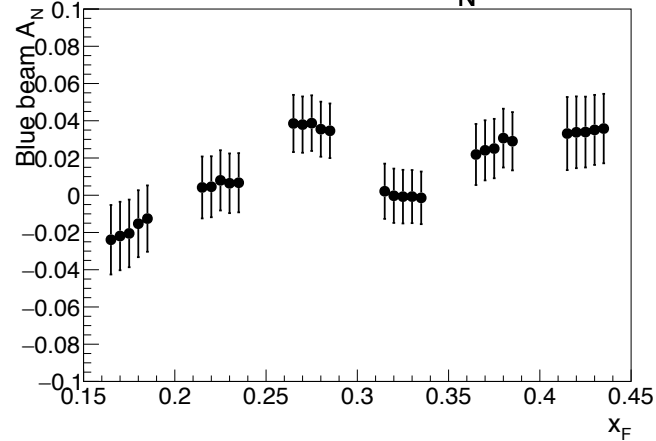
Blue beam  $A_N$



Each  $x_F$  set, from left to right: varying the cuts from original: -20, -10, 0, +10, +20

Large BBC east cuts

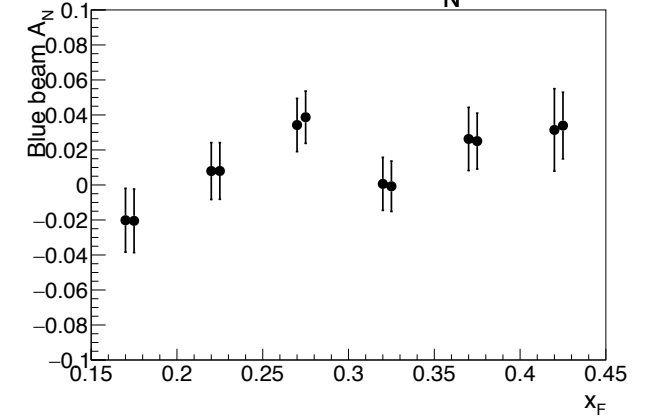
Blue beam  $A_N$



Each  $x_F$  set, from left to right: varying the cuts from original: -20, -10, 0, +10, +20

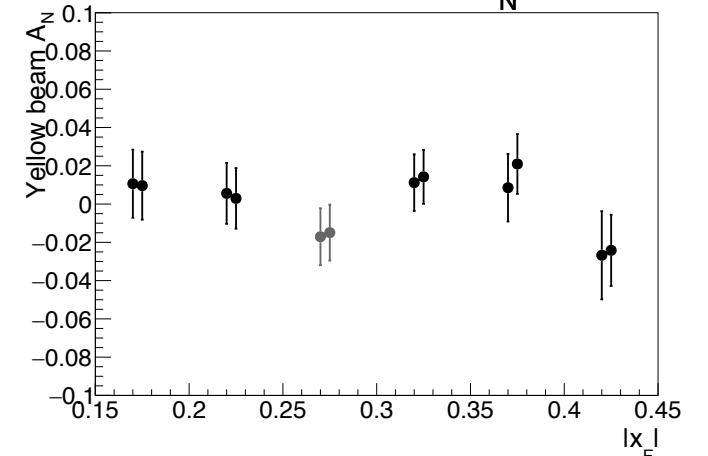
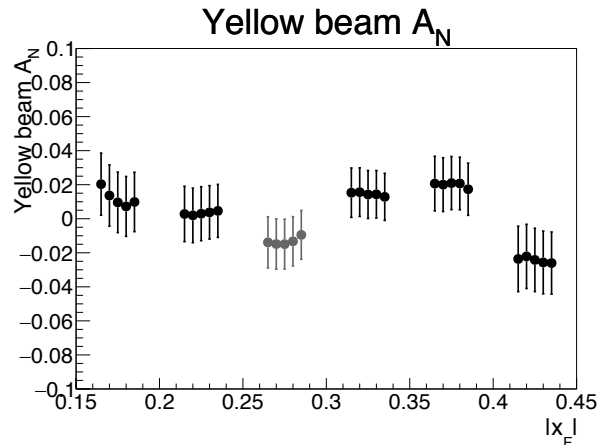
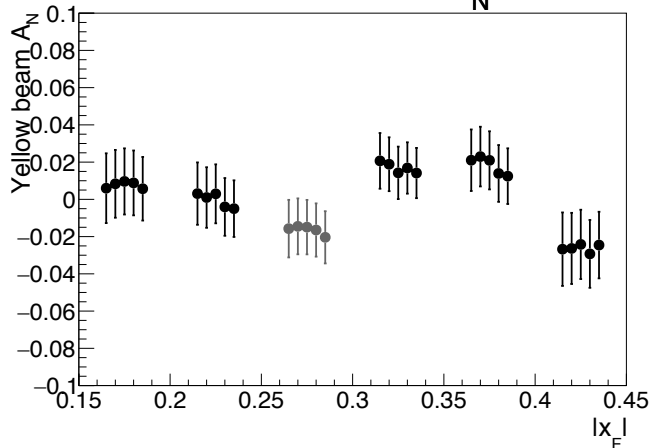
Ring of Fire cuts

Blue beam  $A_N$

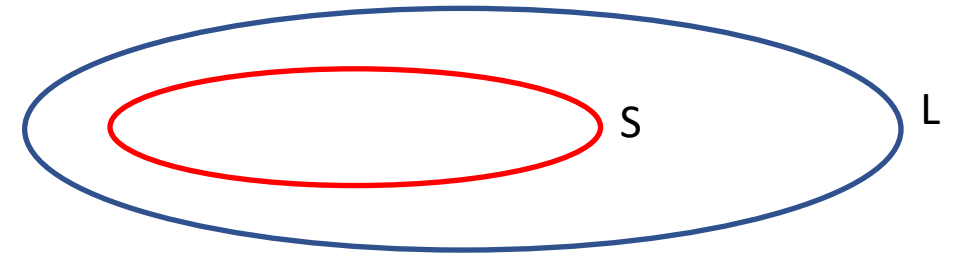


Each  $x_F$  set, from left to right: Apply Ring of Fire cut, do not apply Ring of Fire cut

Yellow beam  $A_N$



# Idea for Barlow check



- Considering 2 correlated samples, larger one (sample “L”) and smaller one (sample “S”), we get the measured results for them with statistical uncertainty:  $A_L \pm \sigma_L$  and  $A_S \pm \sigma_S$  .
  - Their correlated uncertainty:  $\sigma_\delta^2 = \sigma_L^2 + \sigma_S^2 + 2\rho\sigma_L\sigma_S$  , where  $\rho$  is correlation. For this case,  $\rho = -1$  . Therefore,  $\sigma_\Delta^2 = \sigma_S^2 - \sigma_L^2$  .
  - The discrepancy arise for this 2 data samples will be the  $\sigma_\Delta$  .
  - Then, Barlow proposed a check on the measured difference between the 2 datasets ( $|A_L - A_S|$ ), and try to compare with this discrepancy  $\sigma_\Delta$  .
  - If the measured difference is less than  $1 \sigma$ , the check pass and the correct thing is to do nothing -> Don't need to add this into systematic.
- Ref: **arXiv:hep-ex/0207026**. The related part is in page 8 – 11.



# Calculating the systematic uncertainty (All photon multiplicity)

- Then, find out the maximum ( $A_N(1) \pm \delta(1)$ , with statistical uncertainty), and the minimum ( $A_N(2) \pm \delta(2)$ , with statistical uncertainty) for the varying cuts as systematic uncertainty.
- If the  $\frac{|A_N(1)-A_N(2)|}{\sqrt{|(\delta(1))^2-(\delta(2))^2|}} > 1$  (Barlow check), use the **standard deviation** of all the  $A_N$  from varying all the cuts for this systematic term ( $\sigma_i$ ), otherwise, the systematic ( $\sigma_i$ ), for this term will be assigned 0 (values under 0 term are the systematic results not using this criteria)

- The final systematic will be counted bin by bin ( $x_F$  bins) :

Blue beam $x_F$	Small BBC east	Large BBC east	Ring of Fire	Background	Summary
0.1 - 0.2	0.0046	0.0042	0 (0.00017)	0.0032	0.0070 (0.0070)
0.2 - 0.25	0.0064	0 (0.0014)	0 (0.000025)	0.0029	0.0070 (0.0071)
0.25 - 0.3	0 (0.0014)	0.0017	0.0022	0.0026	0.0039 (0.0041)
0.3 - 0.35	0.0026	0 (0.0012)	0 (0.00068)	0.0026	0.0037 (0.0039)
0.35 - 0.4	0.0027	0.0032	0 (0.00061)	0.0029	0.0051 (0.0051)
0.4 - 0.45	0.0030	0 (0.00096)	0 (0.0012)	0.0035	0.0046 (0.0048)

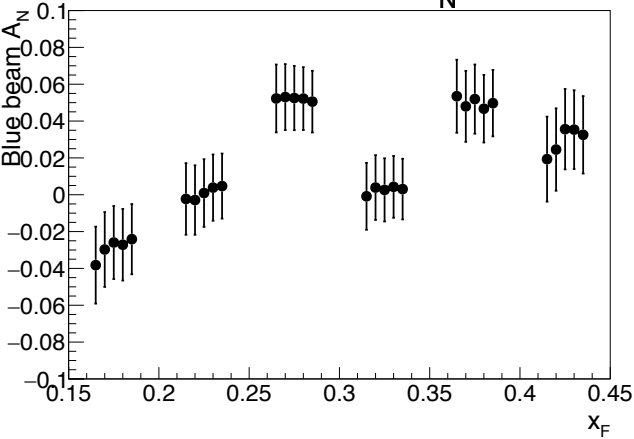
$\sigma_{sys} = \sqrt{\sum_i (\sigma_i)^2}$					
Yellow beam					
$x_F$	Small BBC east	Large BBC east	Ring of Fire	Background	Summary
0.1 - 0.2	0 (0.0016)	0.0046	0 (0.00050)	0.0032	0.0056 (0.0058)
0.2 - 0.25	0.0035	0 (0.00090)	0.0013	0.0028	0.0046 (0.0047)
0.25 - 0.3	0.0021	0.0020	0 (0.0011)	0.0026	0.0039 (0.0040)
0.3 - 0.35	0.0026	0 (0.00097)	0 (0.0015)	0.0025	0.0036 (0.0040)
0.35 - 0.4	0.0042	0.0013	0.0062	0.0028	0.0081
0.4 - 0.45	0.0018	0 (0.0014)	0 (0.0013)	0.0034	0.0039 (0.0043)

# $A_N$ results for varying the cuts (systematic)

1 or 2 photon multiplicity

Small BBC east cuts

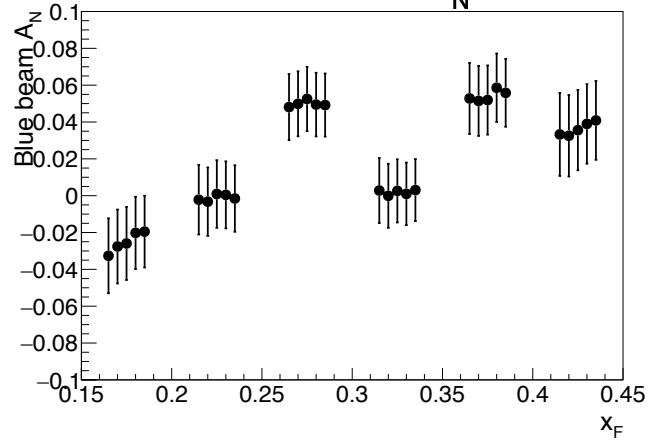
Blue beam  $A_N$



Each  $x_F$  set, from left to right: varying the cuts from original: -20, -10, 0, +10, +20

Large BBC east cuts

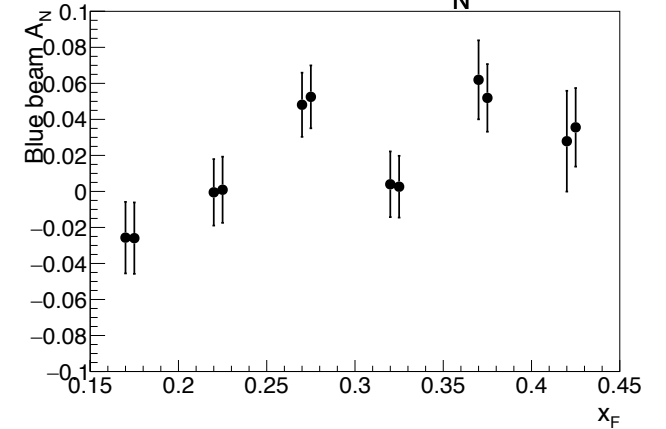
Blue beam  $A_N$



Each  $x_F$  set, from left to right: varying the cuts from original: -20, -10, 0, +10, +20

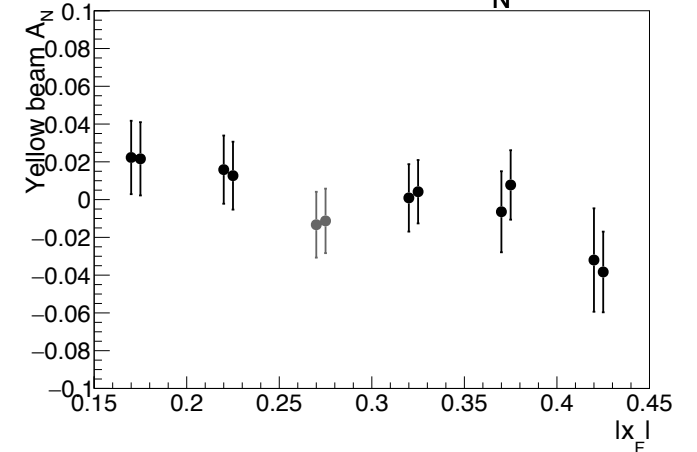
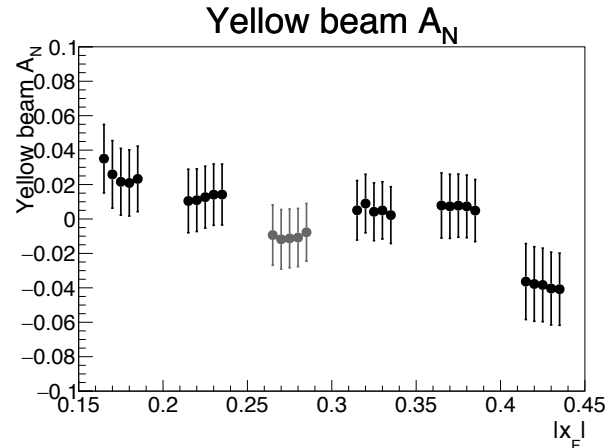
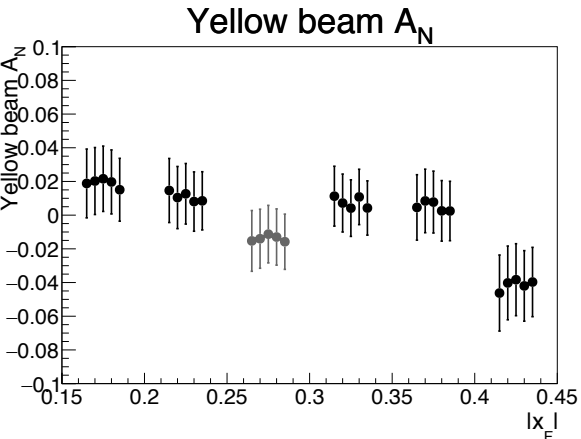
Ring of Fire cuts

Blue beam  $A_N$



Each  $x_F$  set, from left to right: Apply Ring of Fire cut, do not apply Ring of Fire cut

Yellow beam  $A_N$



# Calculating the systematic uncertainty (1 or 2 photon multiplicity)

- Then, find out the maximum ( $A_N(1) \pm \delta(1)$ , with statistical uncertainty), and the minimum ( $A_N(2) \pm \delta(2)$ , with statistical uncertainty) for the varying cuts as systematic uncertainty.
- If the  $\frac{|A_N(1)-A_N(2)|}{\sqrt{|(\delta(1))^2-(\delta(2))^2|}} > 1$  (Barlow check), use the **standard deviation** of all the  $A_N$  from varying all the cuts for this systematic term ( $\sigma_i$ ), otherwise, the systematic ( $\sigma_i$ ), for this term will be assigned 0 (values under 0 term are the systematic results not using this criteria)

- The final systematic will be counted bin by bin ( $x_F$  bins):  $\sigma_{sys} = \sqrt{\sum_i(\sigma_i)^2}$

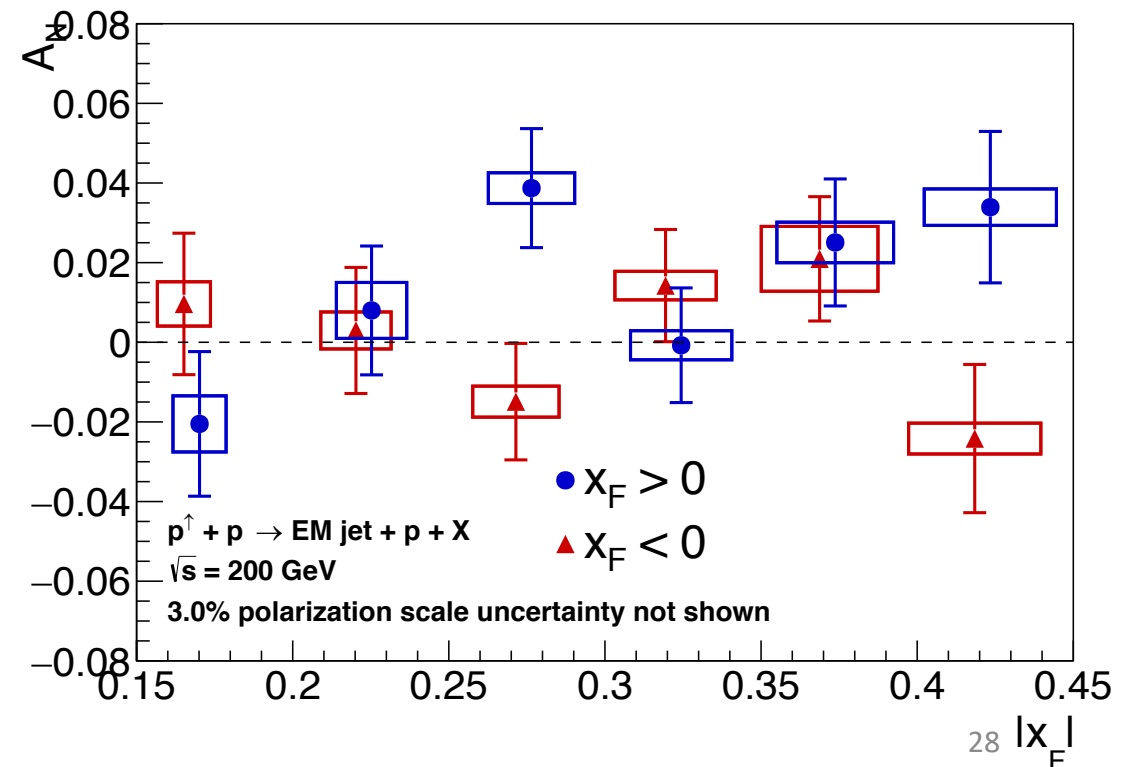
Blue beam $x_F$	Small BBC east	Large BBC east	Ring of Fire	Background	Summary
0.1 - 0.2	0.0040	0.0049	0 (0.00014)	0.0036	0.0078 (0.0078)
0.2 - 0.25	0.0031	0.0016	0 (0.00071)	0.0033	0.0048 (0.0048)
0.25 - 0.3	0 (0.00083)	0.0015	0.0022	0.0031	0.0041 (0.0041)
0.3 - 0.35	0 (0.0018)	0 (0.0012)	0 (0.00068)	0.0031	0.0031 (0.0038)
0.35 - 0.4	0 (0.0025)	0.0027	0 (0.0050)	0.0034	0.0043 (0.0071)
0.4 - 0.45	0.0065	0.0032	0 (0.0039)	0.0040	0.0083 (0.0091)

Yellow beam					
$x_F$	Small BBC east	Large BBC east	Ring of Fire	Background	Summary
0.1 - 0.2	0.0022	0.0051	0 (0.00035)	0.0035	0.0066 (0.0066)
0.2 - 0.25	0 (0.0025)	0 (0.0016)	0.0016	0.0032	0.0036 (0.0046)
0.25 - 0.3	0 (0.0016)	0 (0.0015)	0 (0.0010)	0.0031	0.0031 (0.0039)
0.3 - 0.35	0.0031	0.0022	0 (0.0016)	0.0030	0.0048 (0.0051)
0.35 - 0.4	0 (0.0025)	0 (0.0011)	0.0071	0.0033	0.0078 (0.0083)
0.4 - 0.45	0.0027	0 (0.0017)	0 (0.0032)	0.0039	0.0048 (0.0060)

# $A_N$ results for all photon multiplicity

- 6  $x_F$  bins are considered: [0.1, 0.2], [0.2,0.25], [0.25,0.3], [0.3,0.35], [0.35,0.4], [0.4,0.45]
- All photon multiplicity
- Constant fit is applied to calculate the significance of non-zero
- Blue beam  $A_N$  is  $2.1 \sigma$  to be non-zero.
  - Constant fit:  $0.015 \pm 0.0069$
  - $\chi^2/n.d.f$ : 1.65
- Yellow beam  $A_N$  is  $0.28 \sigma$  to be non-zero.
  - Constant fit:  $0.0019 \pm 0.0068$
  - $\chi^2/n.d.f$ : 1.04

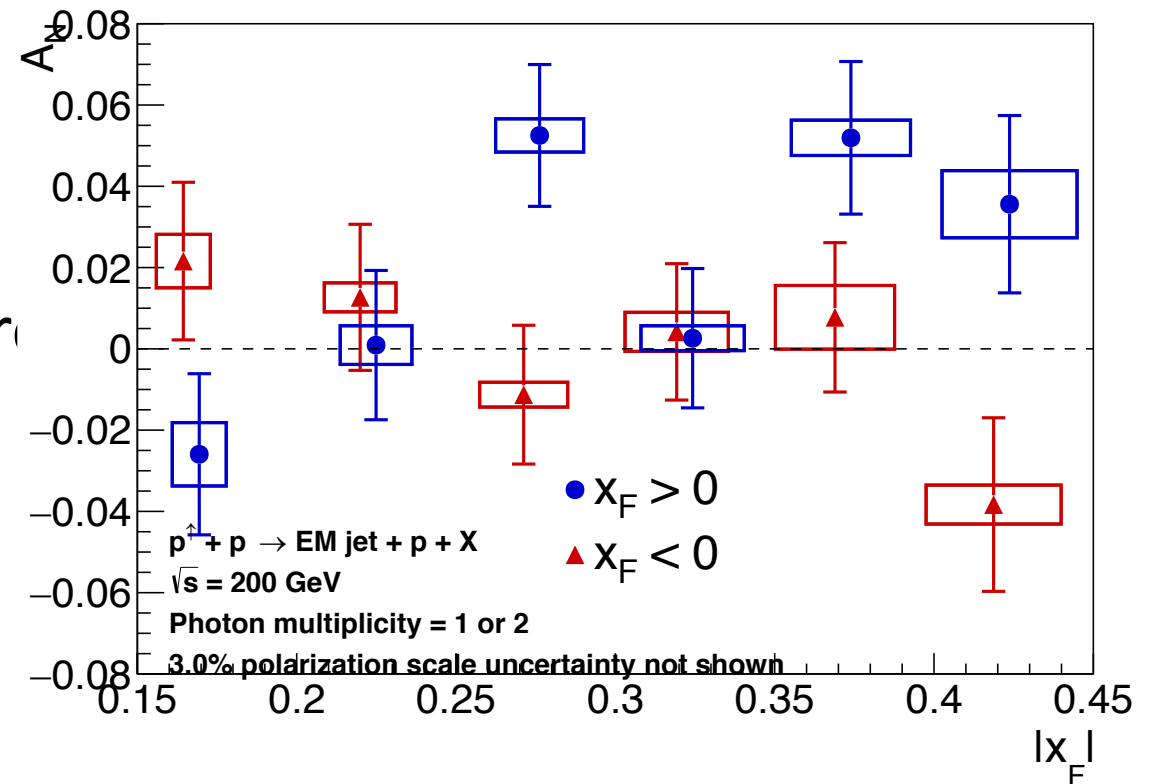
Note: Systematic uncertainty are **considering** the Barlow check criteria.



# $A_N$ results for 1 or 2 photon multiplicity

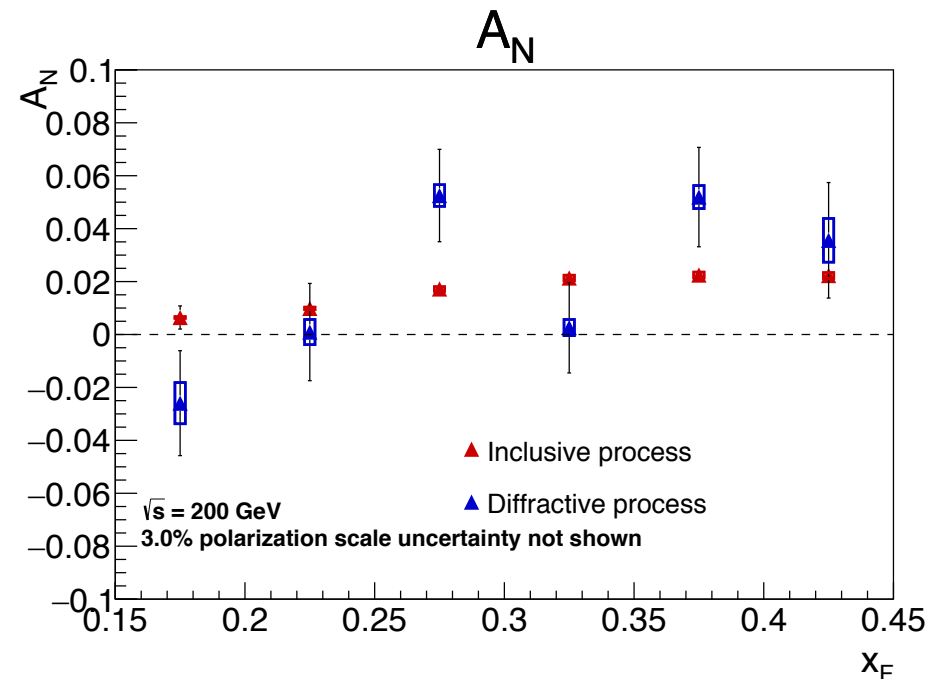
- 6  $x_F$  bins are considered: [0.1, 0.2], [0.2,0.25], [0.25,0.3], [0.3,0.35], [0.35,0.4], [0.4,0.45]
- 1 or 2 photon multiplicity
- Constant fit is applied to calculate the significance of non-zero
- Statistical uncertainty only
- Blue beam  $A_N$  is  $2.6 \sigma$  to be non-zero.
  - Constant fit:  $0.020 \pm 0.0079$
  - $\chi^2/n. d. f$ : 2.55
- Yellow beam  $A_N$  is  $0.038 \sigma$  to be non-zero.
  - Constant fit:  $0.00030 \pm 0.0078$
  - $\chi^2/n. d. f$ : 1.06

Note: Systematic uncertainty are **considering** the Barlow check criteria.



# Comparison between inclusive process and diffractive process

- We compare the results between inclusive process and diffractive process.
  - Both are with EM-jet 1 or 2 photon multiplicity
  - The diffractive process are tagging 1 east RP track.



# Next step

1. Some cross check for the EM-jet  $p_T$  vs  $x_F$  distribution, and compare with inclusive results.
2. Discuss with RP group (Woldek, Leszek) to ask for further comments and suggestions. Also inform the LFS-UPC group for the results.
  - Reason: we use the RP detector, so it's better to gather suggestion from RP experts
3. Paper proposal (**Discussion**)
  - Currently, we still have 2 possible options for papers. Note: we plan to release the run15 inclusive and diffractive results together.
  - Option1: only 1 PRD paper for both analysis.
  - Option2: 1 PRD paper focusing on inclusive result; 1 PLB paper focusing on diffractive result

# Conclusion

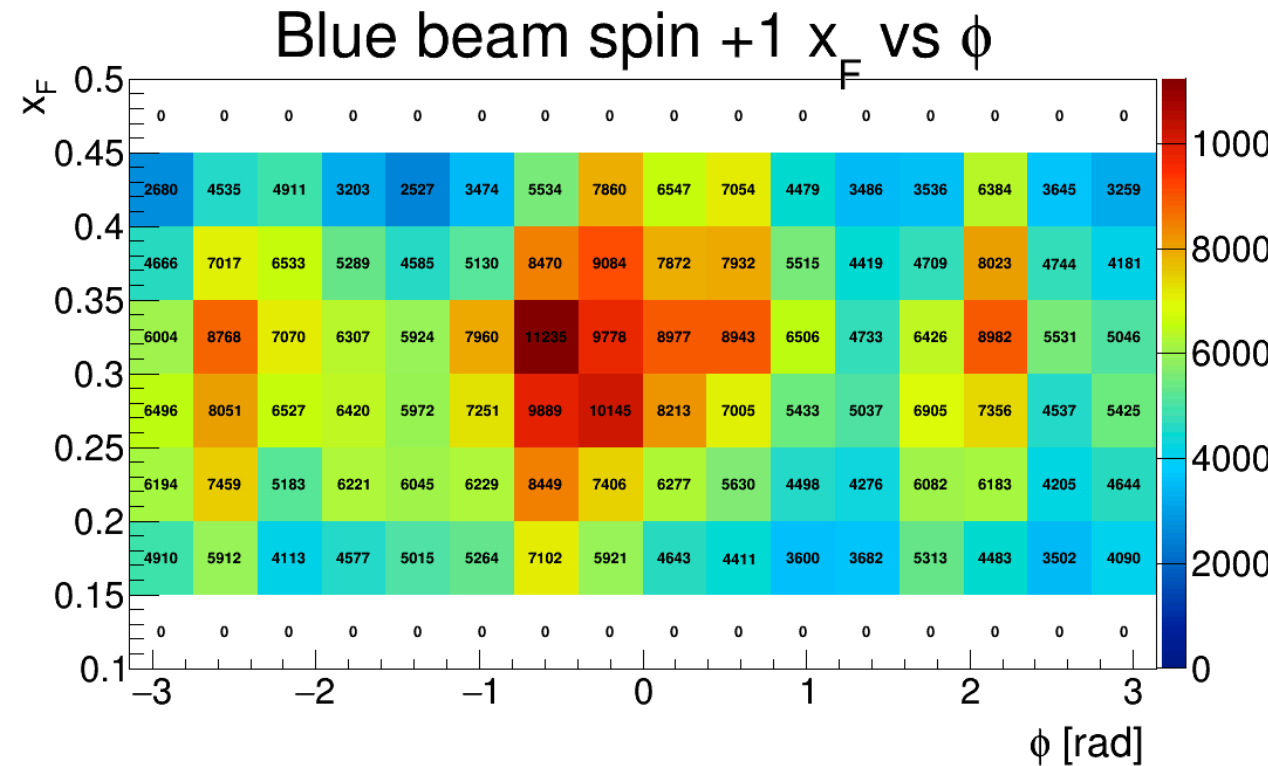
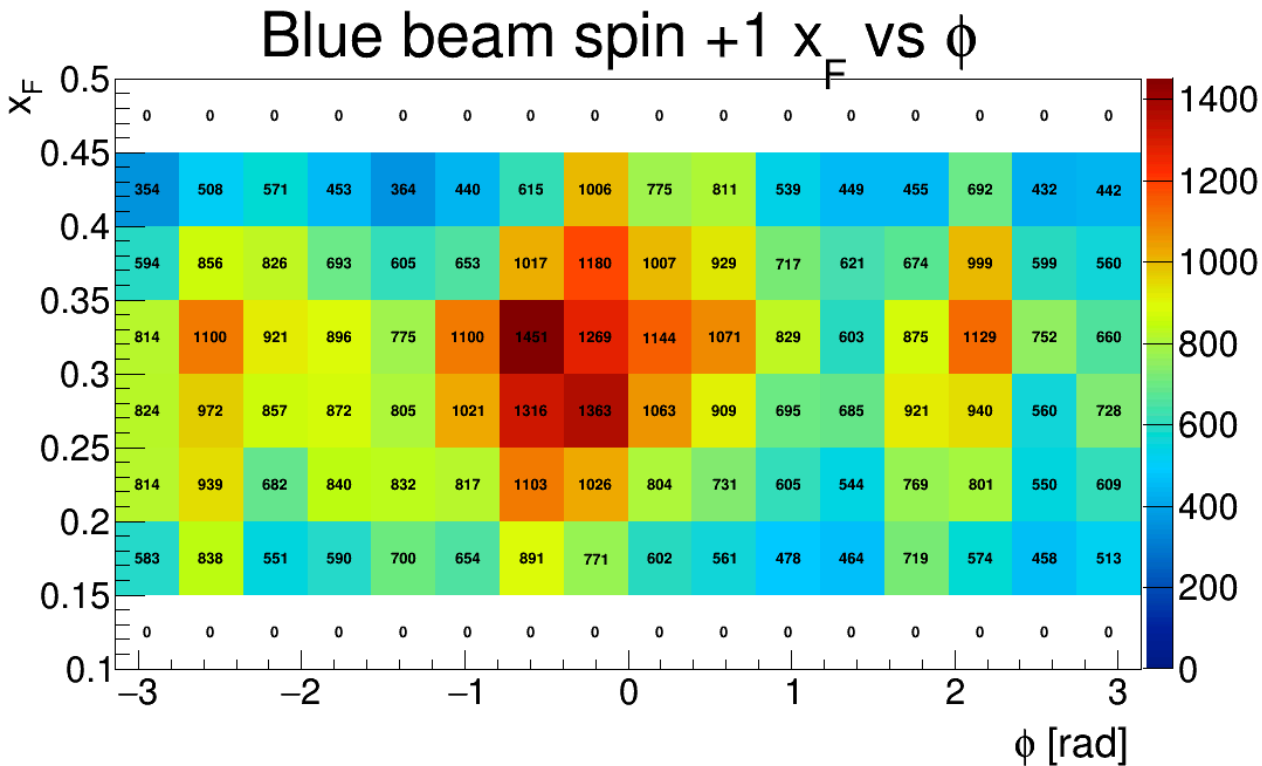
- Now we see the blue beam  $A_N$  are mostly positive. They are also different from what we see for the  $A_N$  for the case with only 1 west RP track (semi-exclusive process).
- Background study for AC events shows that their contribution is small. We assign them to systematic uncertainty.



Back up

# Counting the events for different diffractive process

- We count the yields for different diffractive processes.
  - Left: single diffractive process with FMS EM-jet, east BBC veto, east RP cut
  - Right: Diffractive process with FMS EM-jet and east BBC veto only.

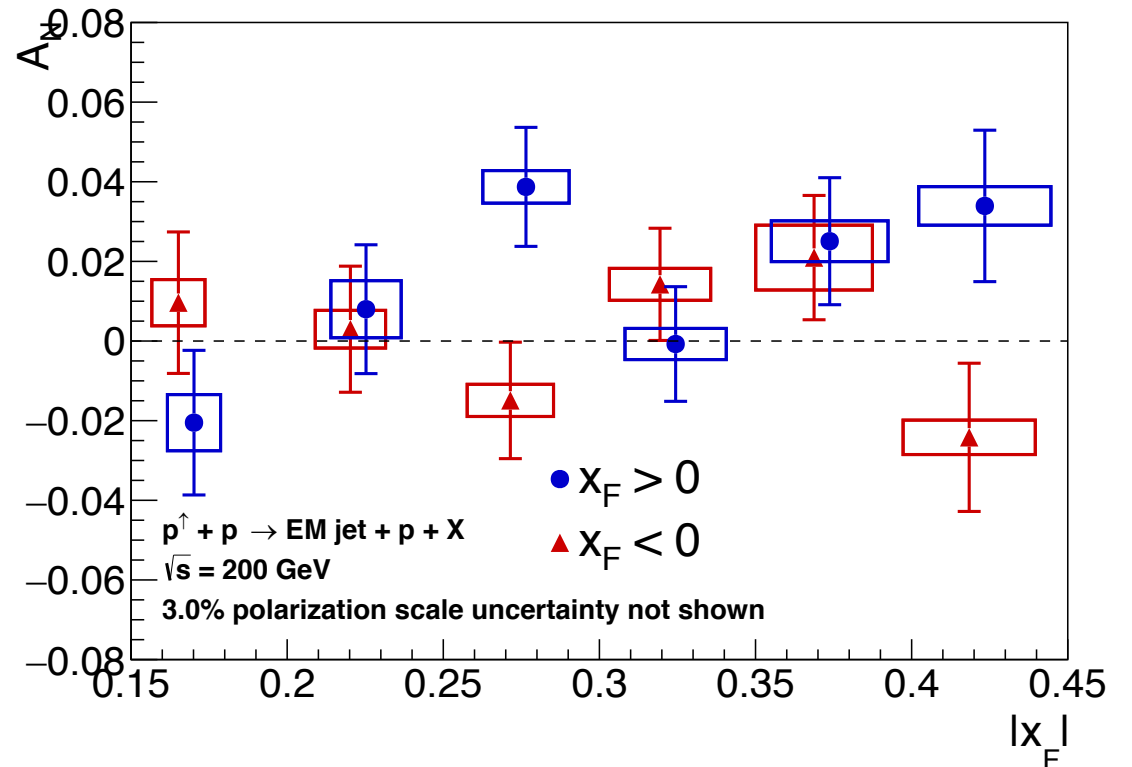


# $A_N$ results for all photon multiplicity

- 6  $x_F$  bins are considered: [0.1, 0.2], [0.2,0.25], [0.25,0.3], [0.3,0.35], [0.35,0.4], [0.4,0.45]
- All photon multiplicity
- Constant fit is applied to calculate the significance of non-zero
- Blue beam  $A_N$  is  $2.1 \sigma$  to be non-zero.
  - Constant fit:  $0.015 \pm 0.0069$
  - $\chi^2/n.d.f$ : 1.65
- Yellow beam  $A_N$  is  $0.28 \sigma$  to be non-zero.
  - Constant fit:  $0.0019 \pm 0.0068$
  - $\chi^2/n.d.f$ : 1.03

Note: Systematic uncertainty are **not considering** the

$$\frac{|A_N(1)-A_N(2)|}{\sqrt{|(\delta(1))^2-(\delta(2))^2|}} > 1 \text{ criteria.}$$



# $A_N$ results for 1 or 2 photon multiplicity

- 6  $x_F$  bins are considered: [0.1, 0.2], [0.2,0.25], [0.25,0.3], [0.3,0.35], [0.35,0.4], [0.4,0.45]
- 1 or 2 photon multiplicity
- Constant fit is applied to calculate the significance of non-zero
- Statistical uncertainty only
- Blue beam  $A_N$  is  $2.5 \sigma$  to be non-zero.
  - Constant fit:  $0.020 \pm 0.0079$
  - $\chi^2/n.d.f$ : 2.58
- Yellow beam  $A_N$  is  $0.049 \sigma$  to be non-zero.
  - Constant fit:  $0.00037 \pm 0.0078$
  - $\chi^2/n.d.f$ : 1.04

Note: Systematic uncertainty are **not considering** the

$$\frac{|A_N(1)-A_N(2)|}{\sqrt{|\delta(1)|^2-|\delta(2)|^2}} > 1 \text{ criteria.}$$

